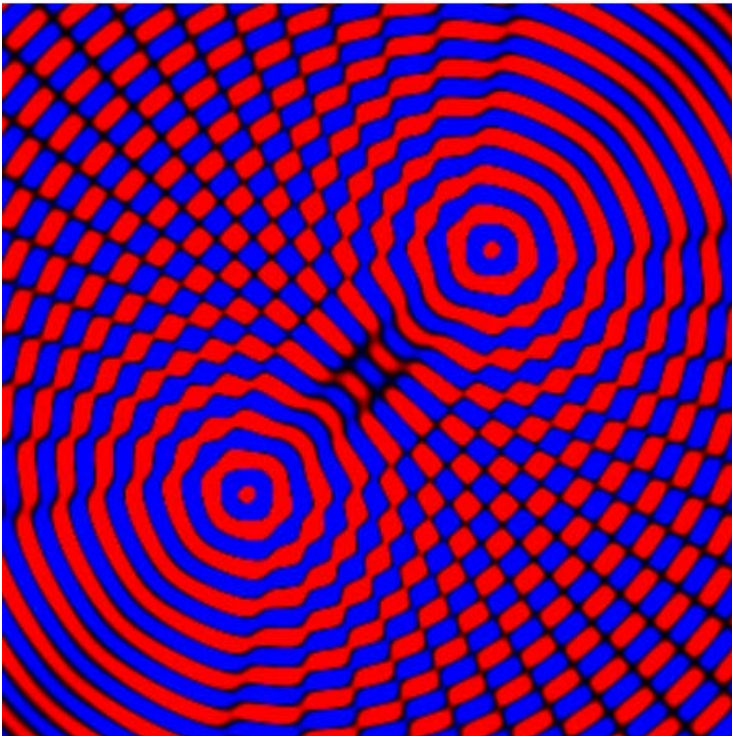


24. Wellen & Optik

18. Jan. 2019

Interferenz zweier Oberflächenwellen



$A_1 = 0.1$ [cm²] $A_2 = 0.1$ [cm²]
 $x_1 = 2$ [cm] $x_2 = 4$ [cm]
 $y_1 = 2$ [cm] $y_2 = 4$ [cm]
 $\phi_1 = 0$ [rad] $\phi_2 = 0$ [rad]

$\lambda = 0.3$ [cm] $T = 0.5$ [s]

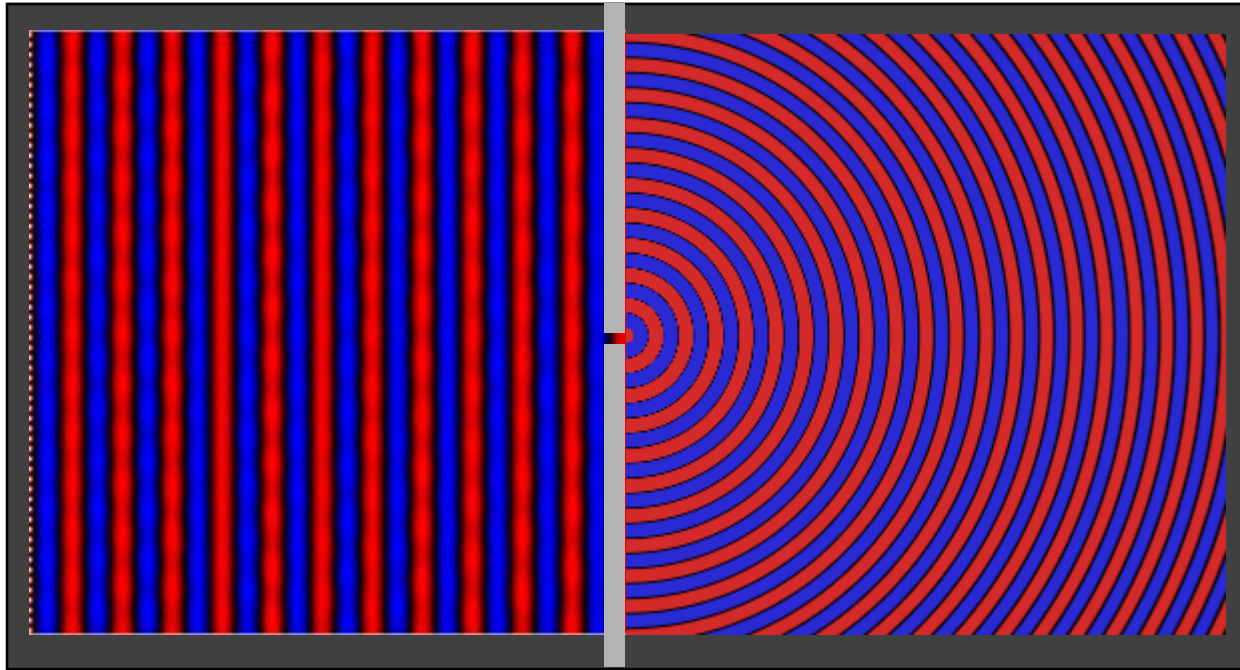
plot at $t = 0$ [s].

t - T/10 t + T/10

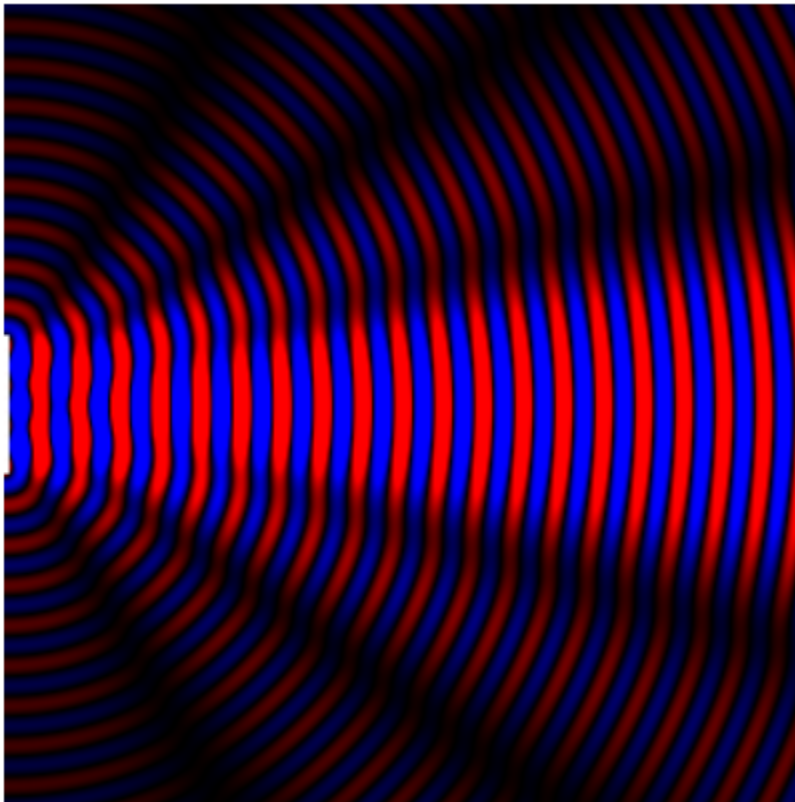
$$c = \frac{\lambda}{T}$$

$$z(r, t) = \frac{A_1}{\sqrt{|r - r_1|}} \cos(k|r - r_1| - \omega t + \phi_1) + \frac{A_2}{\sqrt{|r - r_2|}} \cos(k|r - r_2| - \omega t + \phi_2)$$

Huygenssches Prinzip

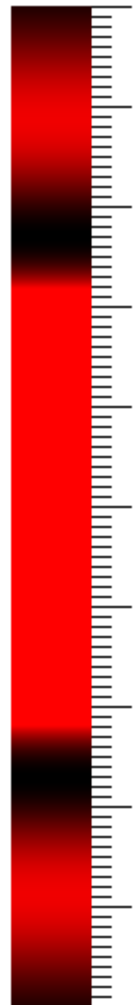


Einfachspalt



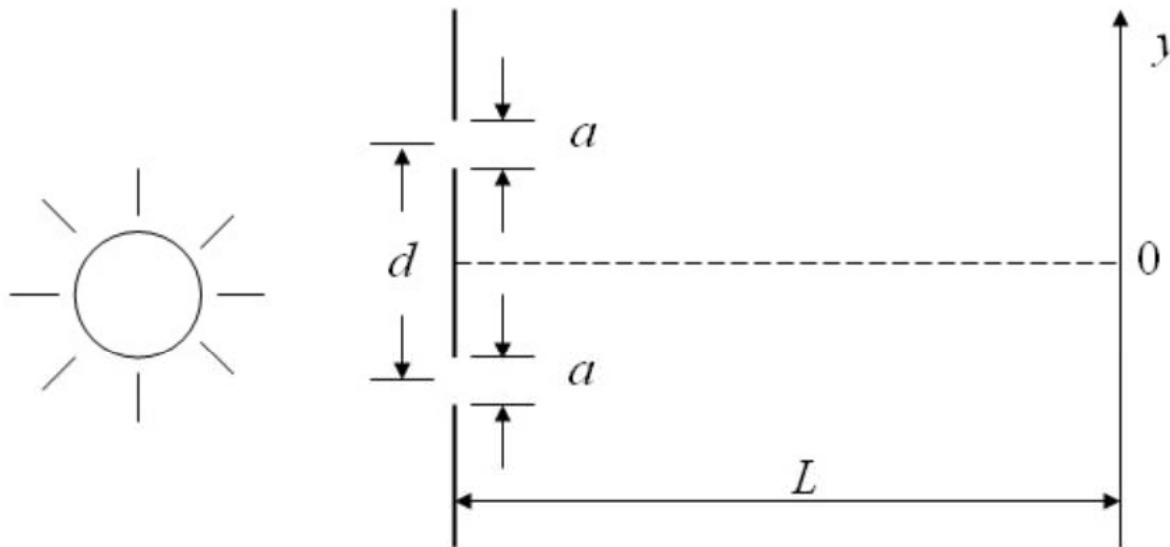
$$N = 40$$
$$\lambda = 0.3 \text{ [cm]}$$
$$a = 1 \text{ [cm]}$$
$$T = 0.5 \text{ [s]}$$

plot bei $t = 0$ [s].
t - T/10 t + T/10



Beugung an zwei Einfachspalten der Breite a

Licht fällt auf zwei Spalten der Breite a , deren Mittelpunkte den Abstand d haben. Ein Interferenzmuster wird auf einem im Abstand L von den Spalten stehenden Schirm beobachtet. Das Doppelspaltinterferenzmuster für schmale Spalten wird mit dem Muster des Einfachspalts moduliert.



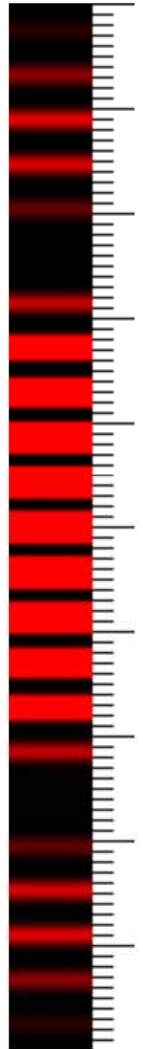
$$a = \text{5E-5} \text{ [m]}$$

$$d = \text{3E-4} \text{ [m]}$$

$$L = \text{2} \text{ [m]}$$

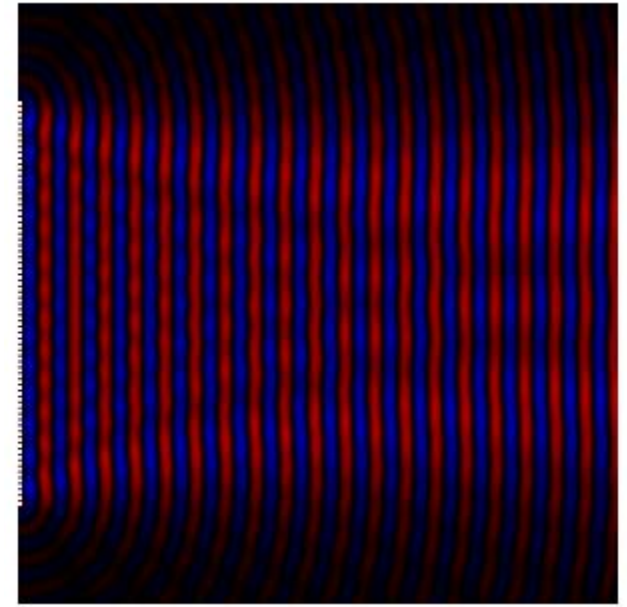
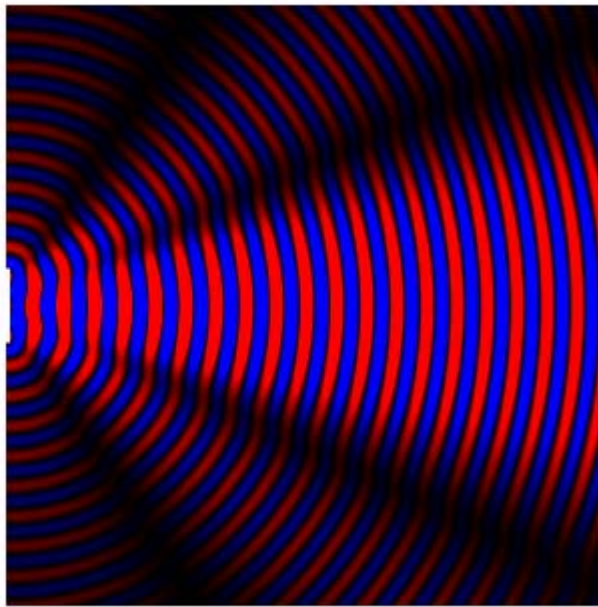
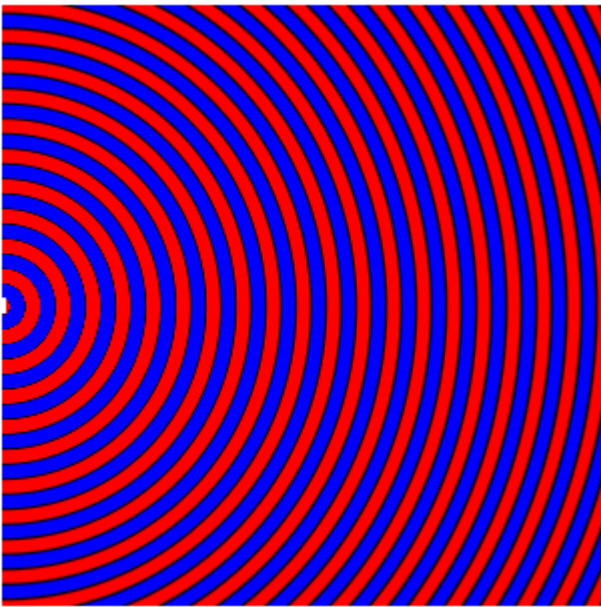
$$\lambda = \text{650} \text{ [nm]}$$

plot



Die kleine Teilung des rechten Maßstabes ist in mm.

Wellen / Optik



Wellenoptik: $L \sim \lambda$

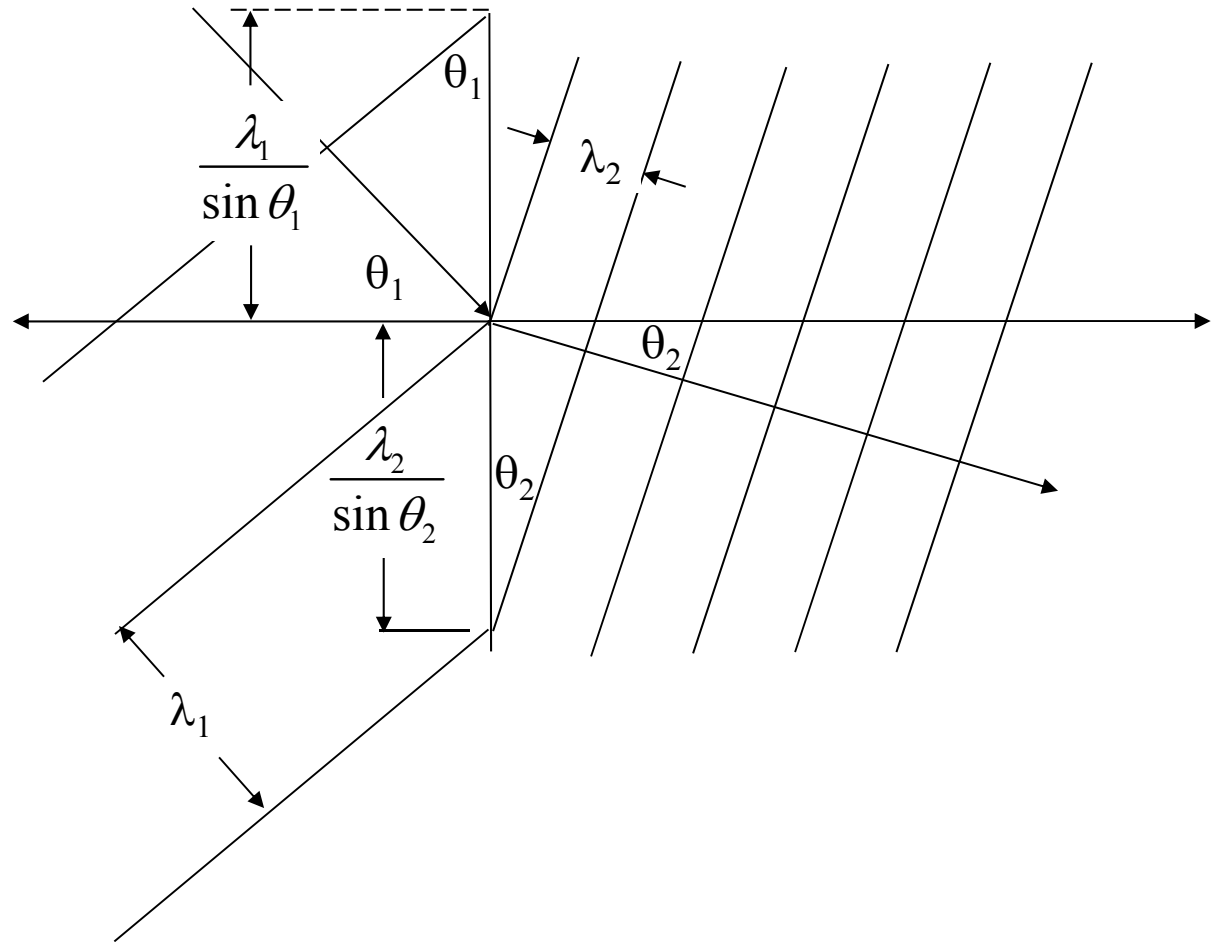
Geometrische Optik: $L \gg \lambda$

Snelliussches Brechungsgesetz

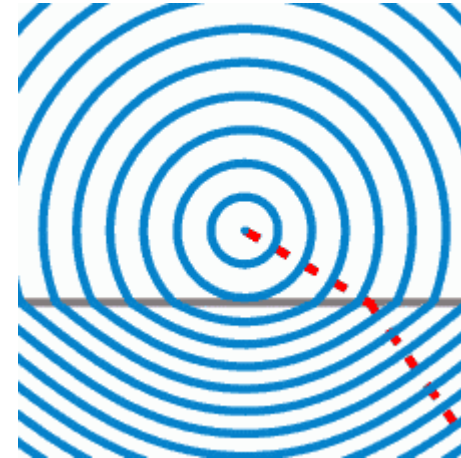
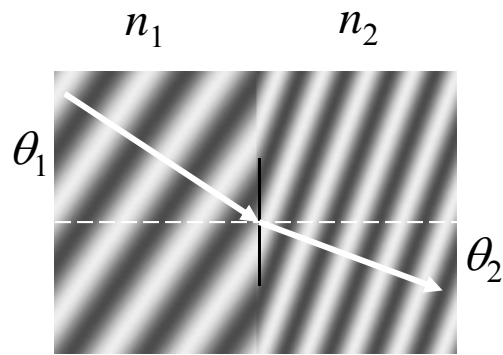
$$\frac{\lambda_1}{\sin \theta_1} = \frac{\lambda_2}{\sin \theta_2}$$

$$\lambda_1 = \frac{c_1}{f} \quad \lambda_2 = \frac{c_2}{f}$$

$$\boxed{\frac{c_1}{\sin \theta_1} = \frac{c_2}{\sin \theta_2}}$$



Snelliussches Brechungsgesetz



$$\frac{\lambda_1}{\sin \theta_1} = \frac{\lambda_2}{\sin \theta_2}$$

$$\lambda_1 = \frac{c}{n_1 f}$$

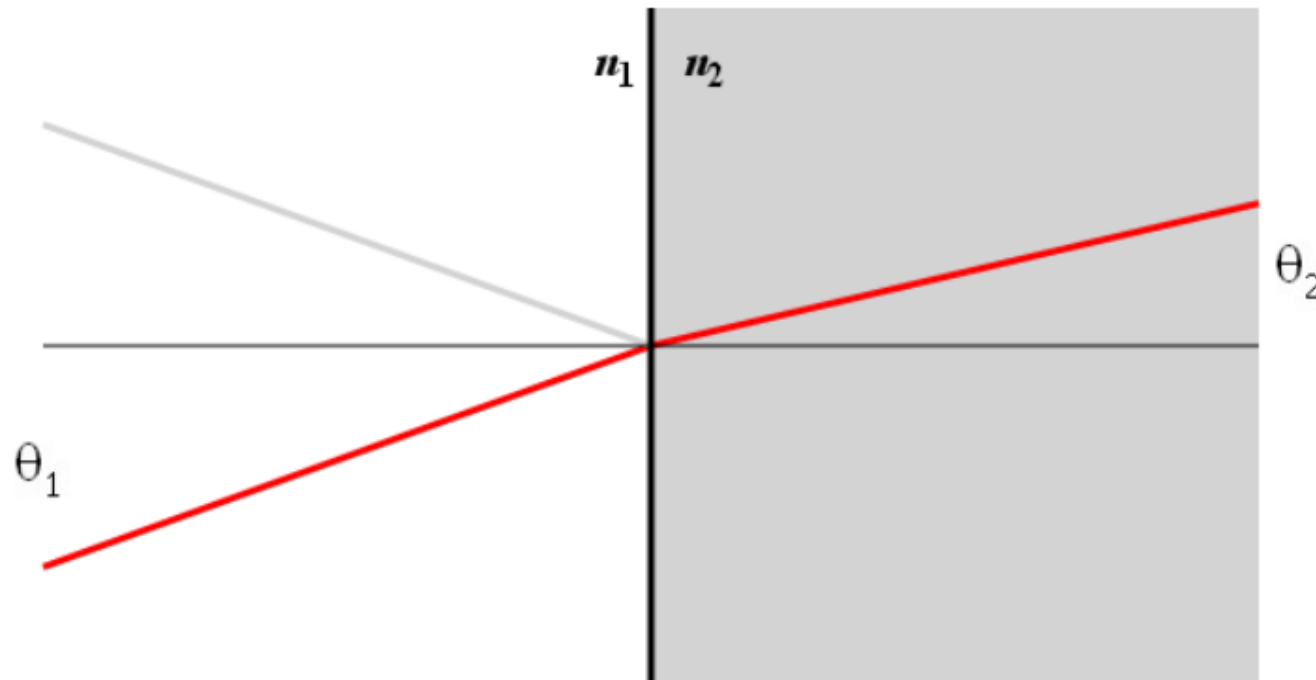
$$\lambda_2 = \frac{c}{n_2 f}$$

Brechungsindex

$$n_1 \sin \theta_1 = n_2 \sin \theta_2$$

Brechung

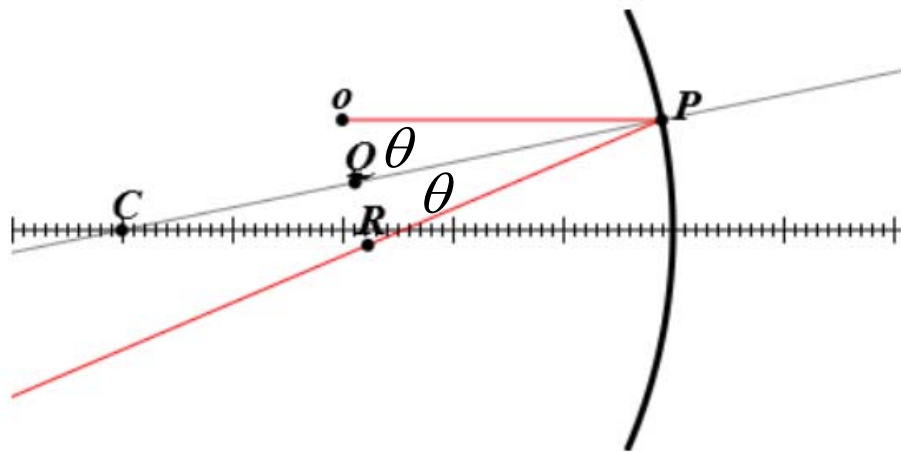
$$n_1 \sin \theta_1 = n_2 \sin \theta_2.$$



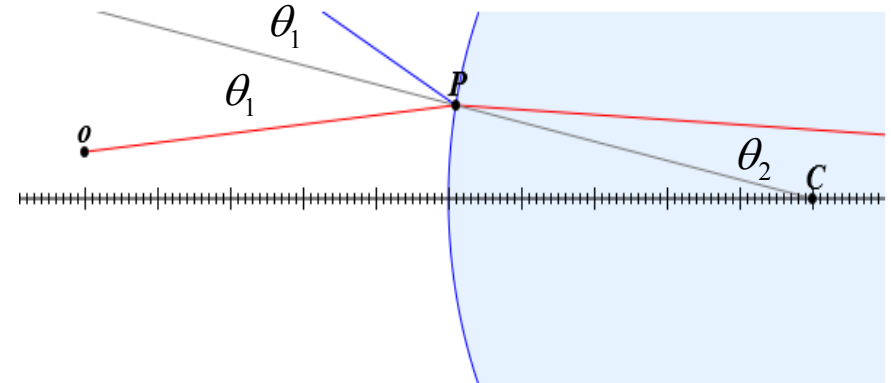
$n_1 =$
 $n_2 =$
 $\theta_1 =$ [deg]
 $\theta_2 =$ [deg]

Geometrische Optik

Spiegel:
Einfallswinkel = Reflexionswinkel







Linsen:
Snelliussches Brechungsgesetz



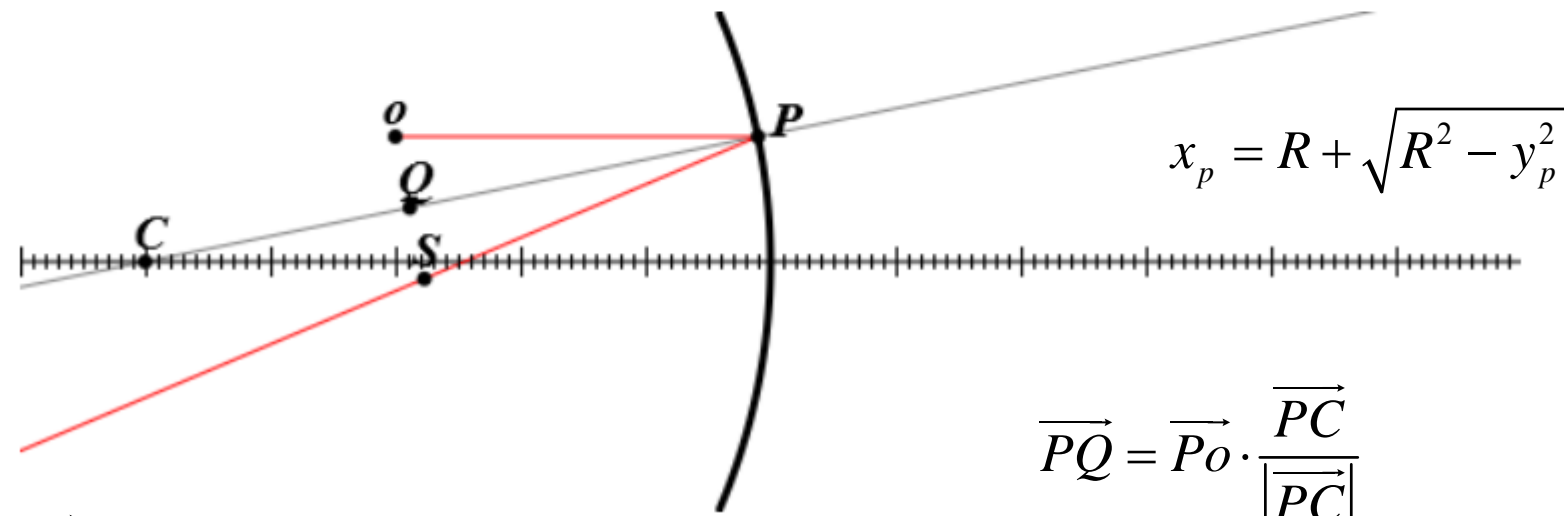
$$n_1 \sin \theta_1 = n_2 \sin \theta_2$$

Wellenoptik: $L \sim \lambda$
Geometrische Optik: $L \gg \lambda$

Reflection from a curved mirror (1)

$R =$ [cm] 
 $x_o =$ [cm] 
 $y_o =$ [cm] 
 $y_p =$ [cm] 
 $x_p =$ [cm]

plot



$$\vec{Po} = (x_o - x_p)\hat{x} + (y_o - y_p)\hat{y}$$

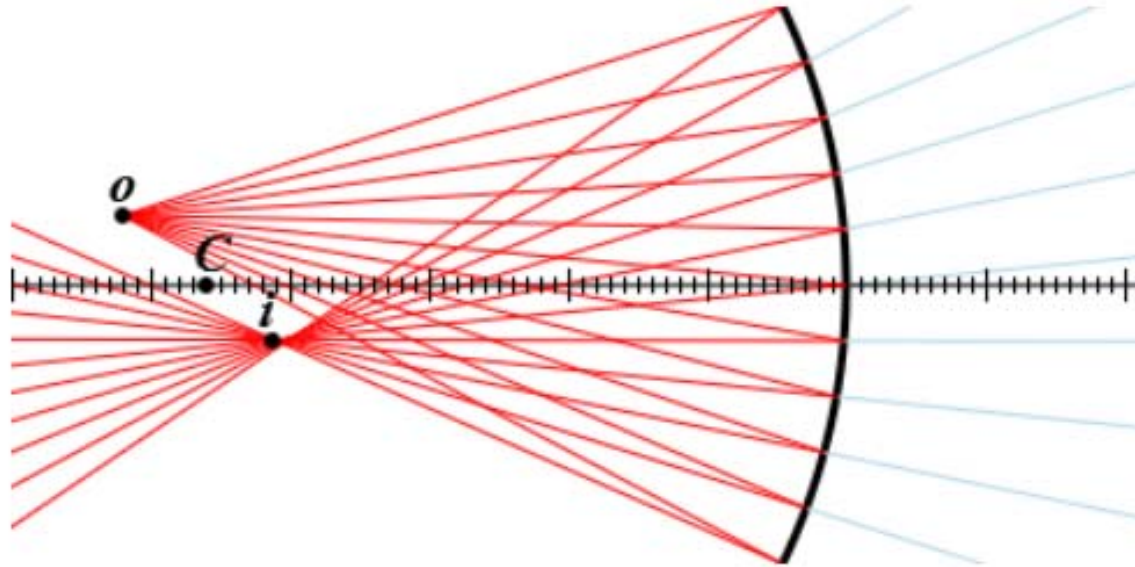
$$\vec{PC} = (x_C - x_p)\hat{x} + (0 - y_p)\hat{y}$$

$$\vec{PQ} = \vec{Po} \cdot \frac{\vec{PC}}{|\vec{PC}|}$$

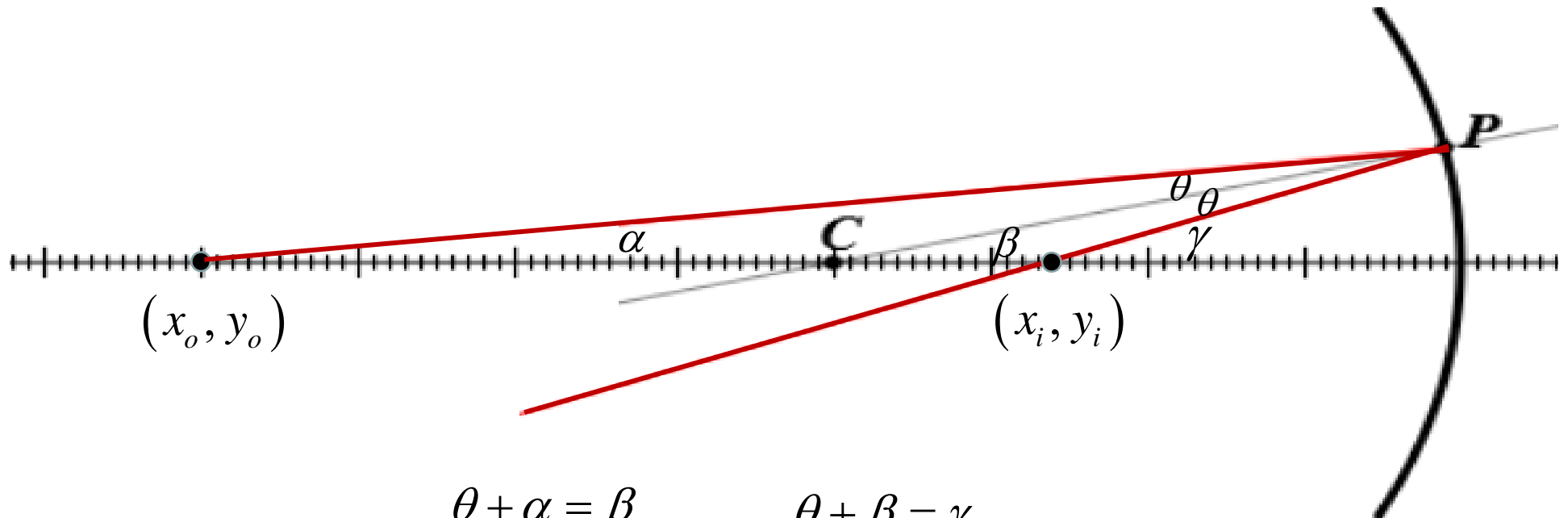
$$\vec{Po} = \vec{PQ} + \vec{Qo}$$

$$\vec{Ps} = \vec{PQ} - \vec{Qo}$$

Konkavspiegel



Konkavspiegel (kleinen Winkeln)



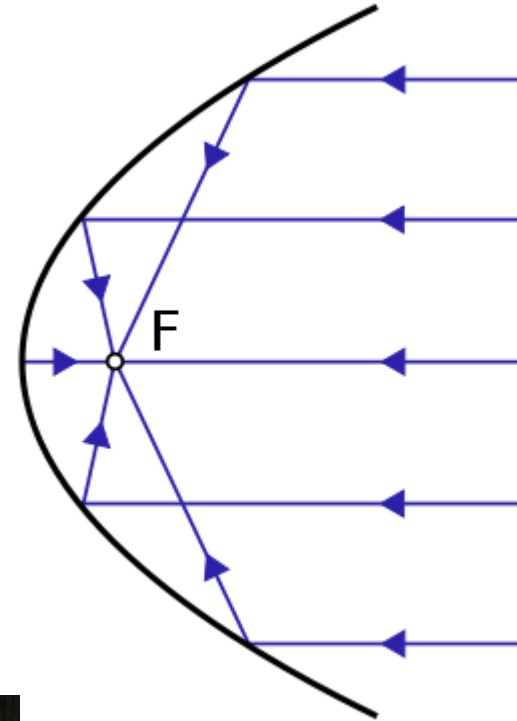
$$\theta + \alpha = \beta \quad \theta + \beta = \gamma$$

$$\theta = \beta - \alpha = \gamma - \beta$$

$$\alpha \approx \frac{y_p}{x_o} \quad \beta \approx \frac{y_p}{R} \quad \gamma \approx \frac{y_p}{x_i}$$

$$\boxed{\frac{1}{x_o} + \frac{1}{x_i} = \frac{2}{R}}$$

Parabolspiegel



<https://capitalgdenz.wordpress.com/2012/03/12/forehead-focus/>

http://commons.wikimedia.org/wiki/File:Radio_telescope_The_Dish.jpg

http://commons.wikimedia.org/wiki/File:Parabolic_mirror-diagram.svg

Adaptive Optik

