

# Doping and Oxidation

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Franssila: Chapters 13,14, 15

Peter Hadley

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# Doping

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Add donors (n-type) or acceptors (p-type)

$10^{12} \text{ cm}^{-3}$  impurity limit

$10^{21} \text{ cm}^{-3}$  solubility limit

Dopants added

during crystal growth (whole wafer)

neutron transmutation (whole wafer)

during epitaxy (layers)

diffusion (local)

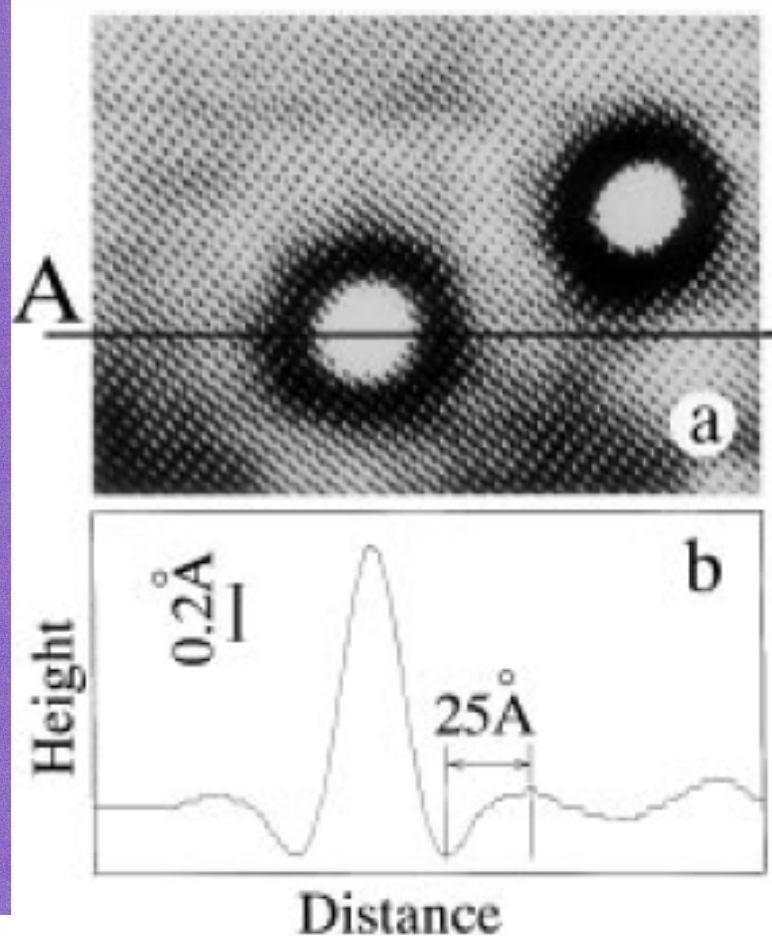
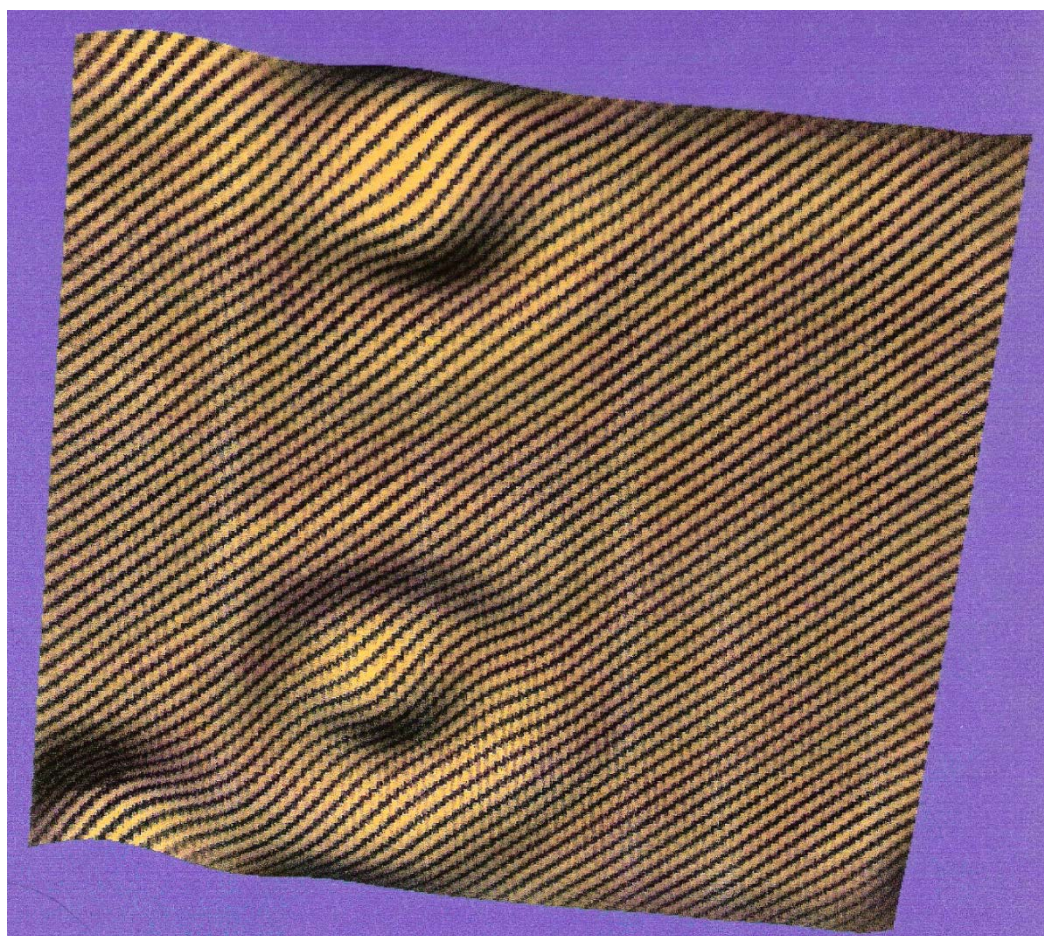
ion implantation (local)

## Direct Observation of Friedel Oscillations around Incorporated $\text{Si}_{\text{Ga}}$ Dopants in GaAs by Low-Temperature Scanning Tunneling Microscopy

M. C. M. M. van der Wielen, A. J. A. van Roij, and H. van Kempen

*Research Institute for Materials, University of Nijmegen, Toernooiveld 1, 6525 ED Nijmegen, The Netherlands*

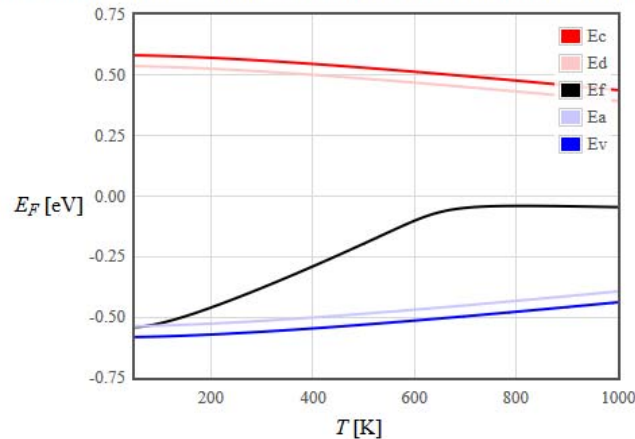
(Received 25 July 1995)



# Doping determines the carrier concentration

## Fermi energy vs. temperature

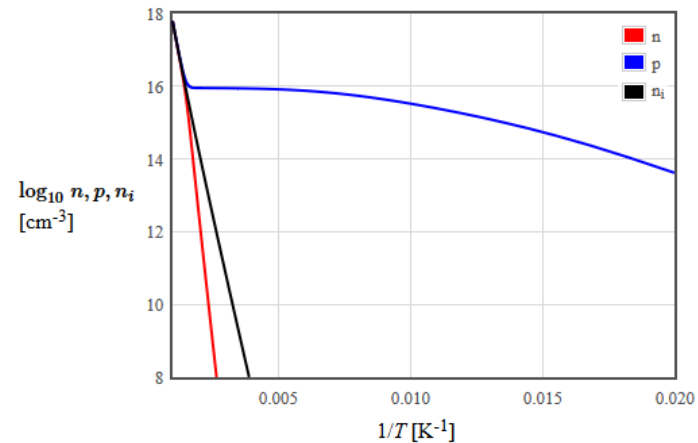
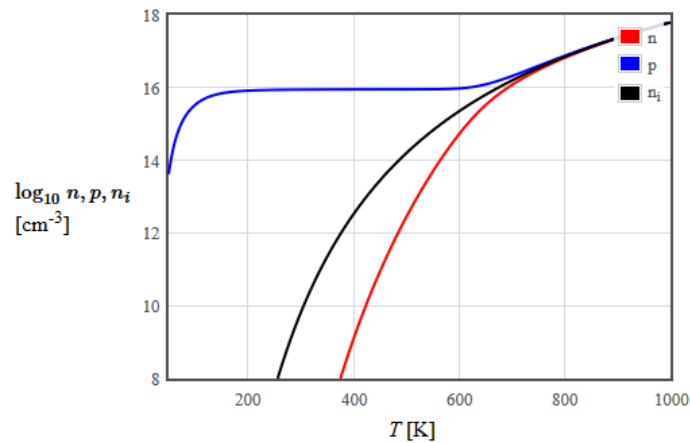
Fermi energy of an extrinsic semiconductor is plotted as a function of temperature. At each temperature the Fermi energy was calculated by requiring that [charge neutrality](#) be satisfied.



$N_c(300\text{ K}) = 2.78\text{E}19$	1/cm <sup>3</sup>	Semiconductor
$N_v(300\text{ K}) = 9.84\text{E}18$	1/cm <sup>3</sup>	
$E_g = 1.166 - 4.73\text{E-}4 * T * T / (T + 636)$	eV	<input type="button" value="Si"/> <input type="button" value="Ge"/> <input type="button" value="GaAs"/>
$N_d = 1\text{E}15$	1/cm <sup>3</sup>	Donor
$E_c - E_d = 0.045$	eV	<input type="button" value="P in Si"/> <input type="button" value="P in Ge"/> <input type="button" value="Si in GaAs"/>
$N_a = 1\text{E}16$	1/cm <sup>3</sup>	Acceptor
$E_a - E_v = 0.045$	eV	<input type="button" value="B in Si"/> <input type="button" value="B in Ge"/> <input type="button" value="Si in GaAs"/>
$T_1 = 50$	K	
$T_2 = 1000$	K	
<input type="button" value="Replot"/>		

Once the Fermi energy is known, the carrier densities  $n$  and  $p$  can be calculated from the formulas,  $n = N_c \left(\frac{T}{300}\right)^{3/2} \exp\left(\frac{E_F - E_c}{k_B T}\right)$  and  $p = N_v \left(\frac{T}{300}\right)^{3/2} \exp\left(\frac{E_v - E_F}{k_B T}\right)$ .

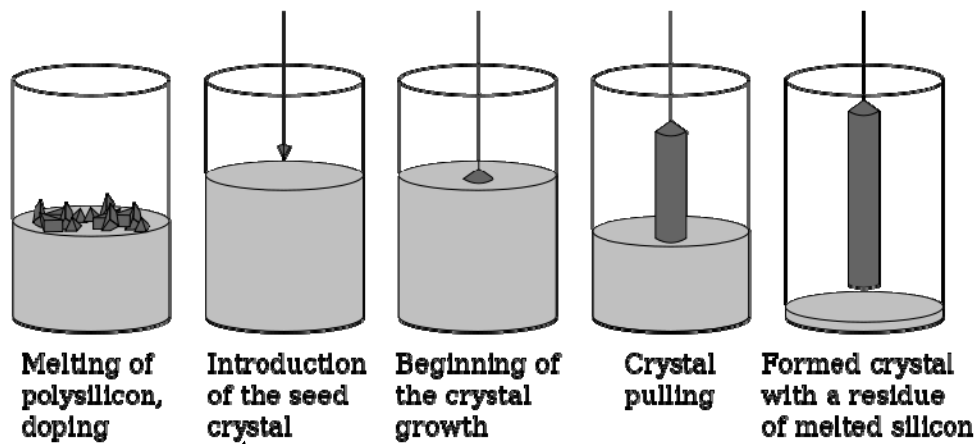
The intrinsic carrier density is  $n_i = \sqrt{N_c \left(\frac{T}{300}\right)^{3/2} N_v \left(\frac{T}{300}\right)^{3/2} \exp\left(\frac{-E_g}{2k_B T}\right)}$ .



# Crystal growth

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## Czochralski Process



add dopants to the melt



images from wikipedia

# Crystal growth

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## Float zone Process

Neutron transmutation

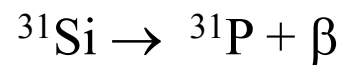
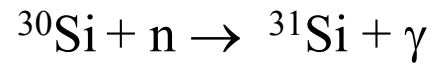
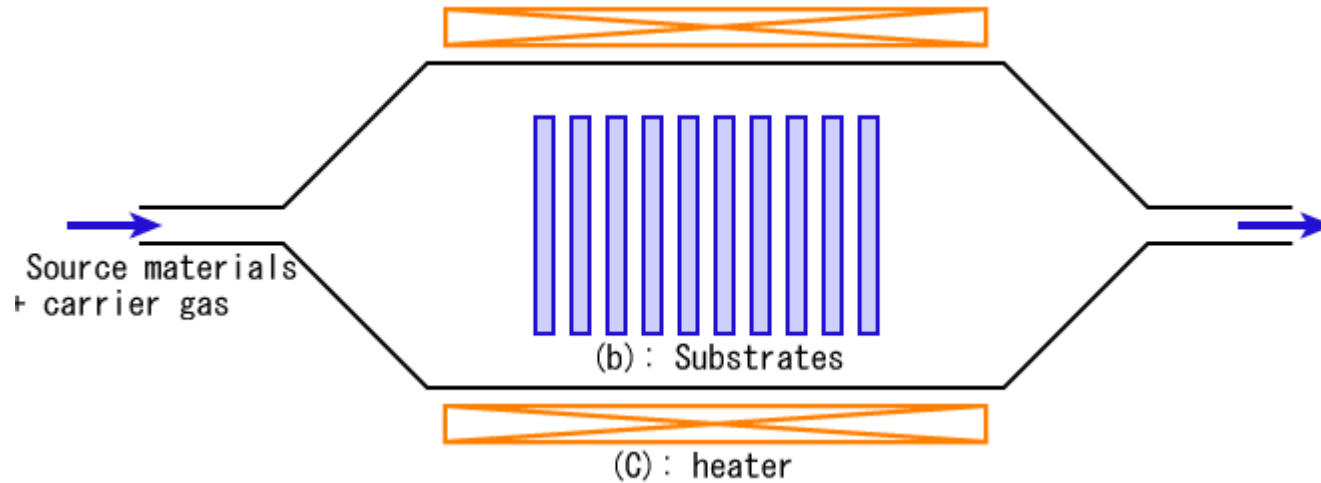


image from wikipedia

# Chemical vapor deposition

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Epitaxial silicon CVD  $\text{SiH}_4$  (silane) or  $\text{SiH}_2\text{Cl}_2$  (dichlorosilane)  
 $\text{PH}_3$  (phosphine) for n-doping or  $\text{B}_2\text{H}_6$  (diborane) for p-doping.

The doping can be adjusted in layers.

# Gas phase diffusion

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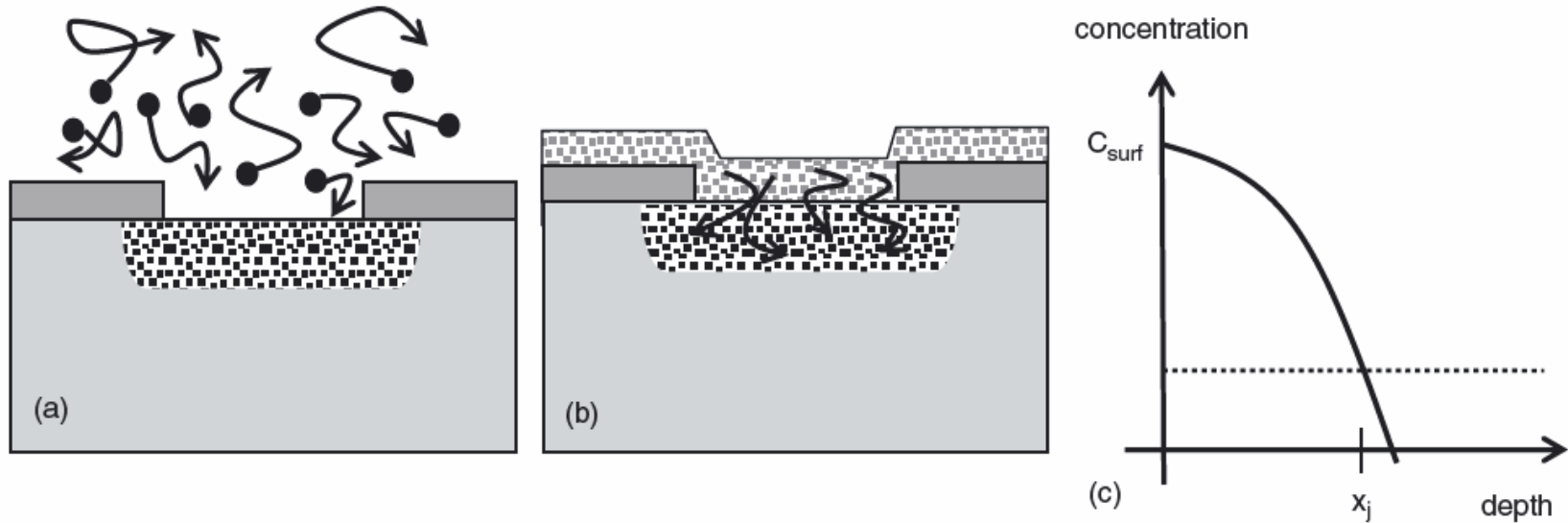


$\text{AsH}_3$  (Arsine) or  $\text{PH}_3$  (phosphine) for n-doping  
 $\text{B}_2\text{H}_6$  (diborane) for p-doping.  
100 - 200 wafers in a batch.

<http://www.microfab.de/foundry/services/diffusion/index.html>



# Gas phase diffusion



**Figure 14.1** Thermal diffusion: (a) gas phase diffusion with oxide mask; (b) diffusion from doped thin film with oxide mask; (c) dopant profile and junction depth  $x_j$

Fransila

900 – 1200 C  
1000 C for 1 hour ~ 1  $\mu\text{m}$

# Constant Source Diffusion

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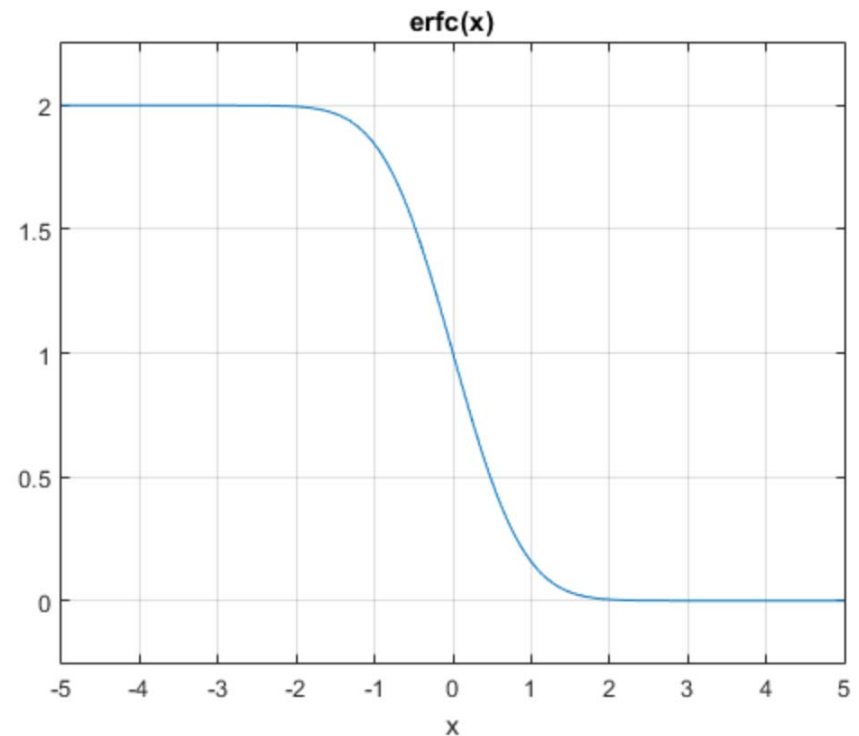
$$\frac{dC}{dt} = -D\nabla^2 C$$

Diffusion equation

For a constant source concentration  $C_0$  at the surface:

$$C(z) = C_0 \operatorname{erfc}\left(\frac{z}{2\sqrt{Dt}}\right)$$

$$\operatorname{erfc}(x) = 1 - \frac{2}{\sqrt{\pi}} \int_0^x e^{-t^2} dt$$



The concentration decreases about linearly

$$\operatorname{erfc}(z) = 1 - \frac{2z}{\sqrt{\pi}} + \dots$$

## Constant source diffusion

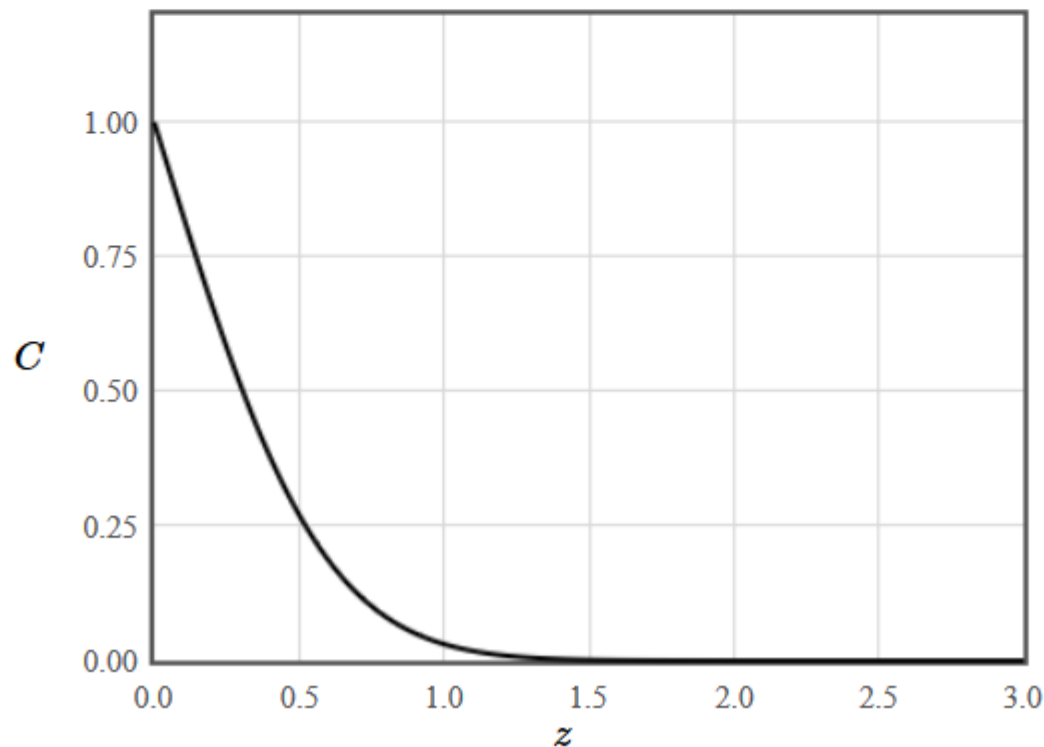
The diffusion equation is,

$$\frac{\partial C}{\partial t} = D\nabla^2 C.$$

In constant source diffusion, the concentration is held constant at the surface. The concentration of dopants is,

$$C(z, t) = C_0 \operatorname{erfc} \left( \frac{z}{\sqrt{4Dt}} \right).$$

The concentration falls at the surface and the total number of dopants remains constant.



# Limited Source Diffusion

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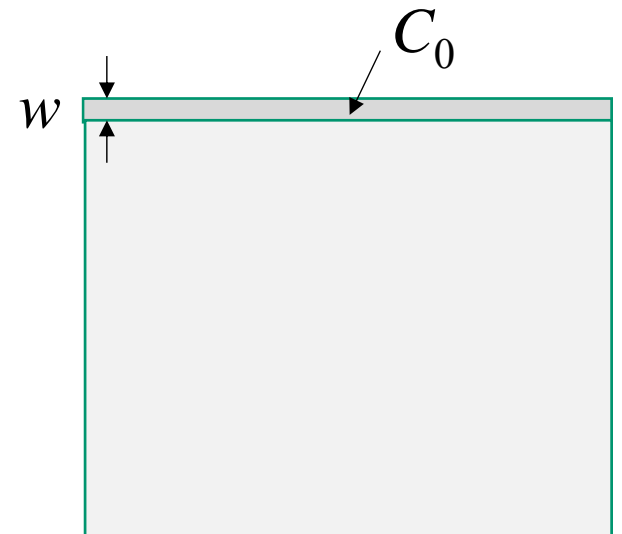
$$\frac{dC}{dt} = -D\nabla^2 C$$

Diffusion equation

For a limited source concentration  $C_0$  at the surface:

$$C(z) = \frac{C_0 w}{\sqrt{4\pi Dt}} \exp\left(-\frac{z^2}{4Dt}\right)$$

$$C(z) = \frac{C_0 w}{\sqrt{4\pi Dt}} \left(1 - \frac{z^2}{4Dt} + \dots\right)$$



## Limited source diffusion

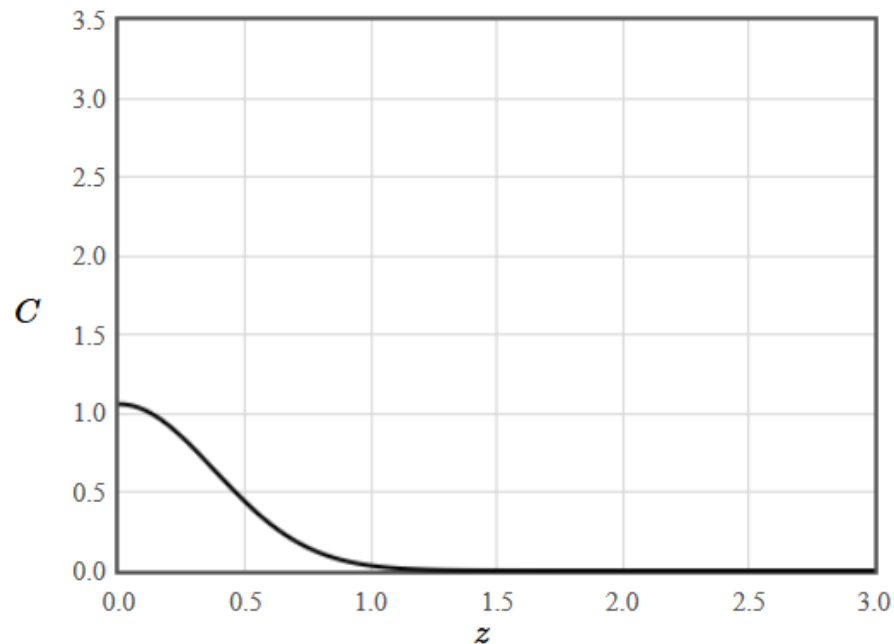
The diffusion equation is,

$$\frac{\partial C}{\partial t} = D\nabla^2 C.$$

If a limited source of dopants is deposited in a thin layer with a thickness  $w$  at the surface such that the dose  $Q$  in dopants per square meter is  $Q = \int_0^w dz$ , the concentration as a function of time

$$C(z, t) = \frac{Q \exp\left(\frac{-z^2}{4Dt}\right)}{\sqrt{4\pi Dt}}.$$

The concentration falls at the surface and the total number of dopants remains constant.



# Diffusion is thermally activated

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$$D = D_0 \exp\left(\frac{-E_A}{k_B T}\right)$$

$$L = \sqrt{4D_0 \exp\left(\frac{-E_A}{k_B T}\right) t} \quad \text{Diffusion length}$$

For P diffusion, 1 h, at 1200  $T = 1473$  K

$$L = 1.3 \mu\text{m}$$

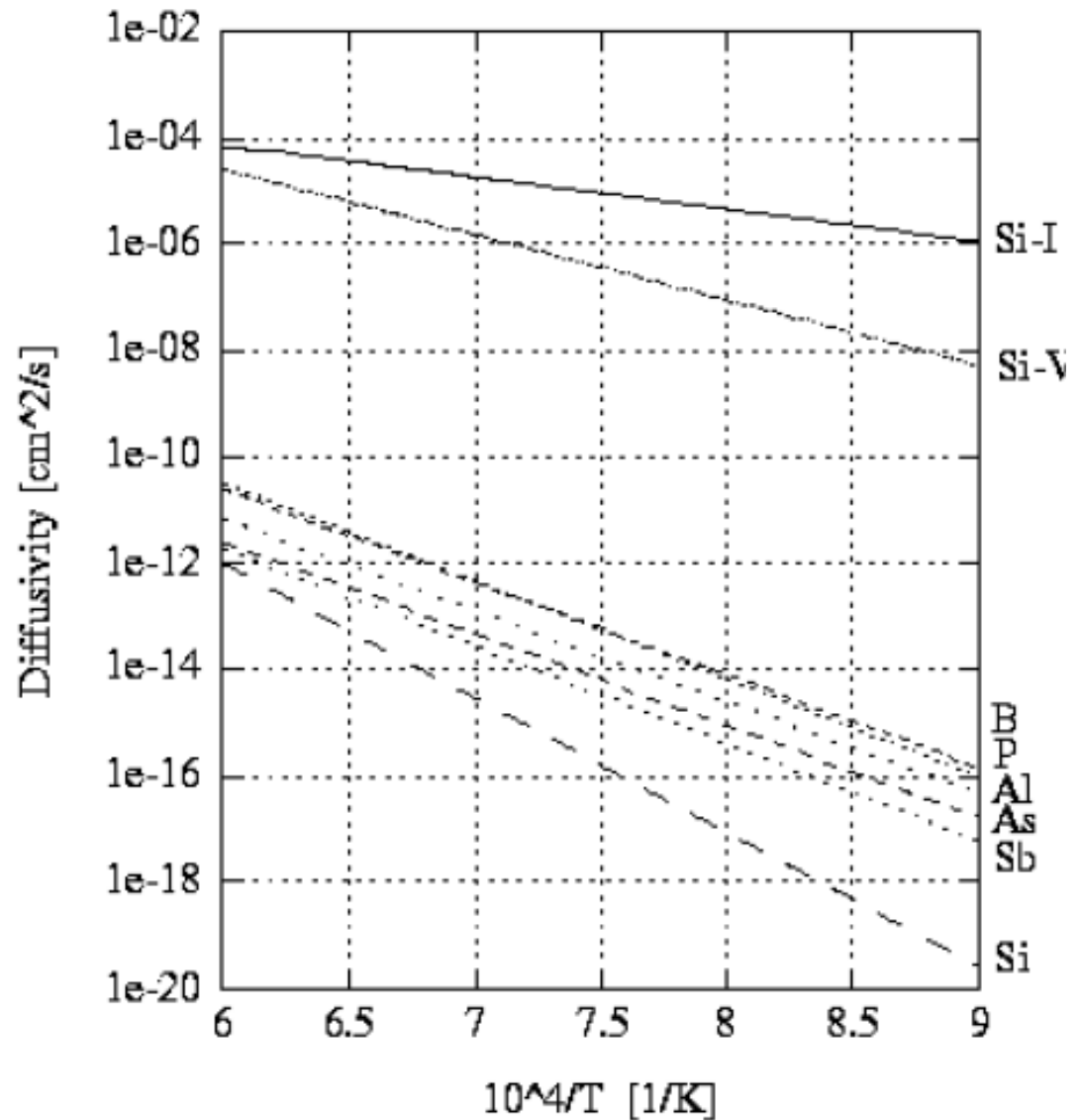
	Si	B	In	As	Sb	P	Units
$D_0$	560	1.0	1.2	9.17	4.58	4.70	$\text{cm}^2 \text{sec}^{-1}$
$E_A$	4.76	3.5	3.5	3.99	3.88	3.68	eV

# Diffusion

Interstitials and vacancies diffuse quickly and assist the dopants.

BH<sub>3</sub> diffuses faster than B.

Diffusion depends on doping concentration.



# Solid solubility limits

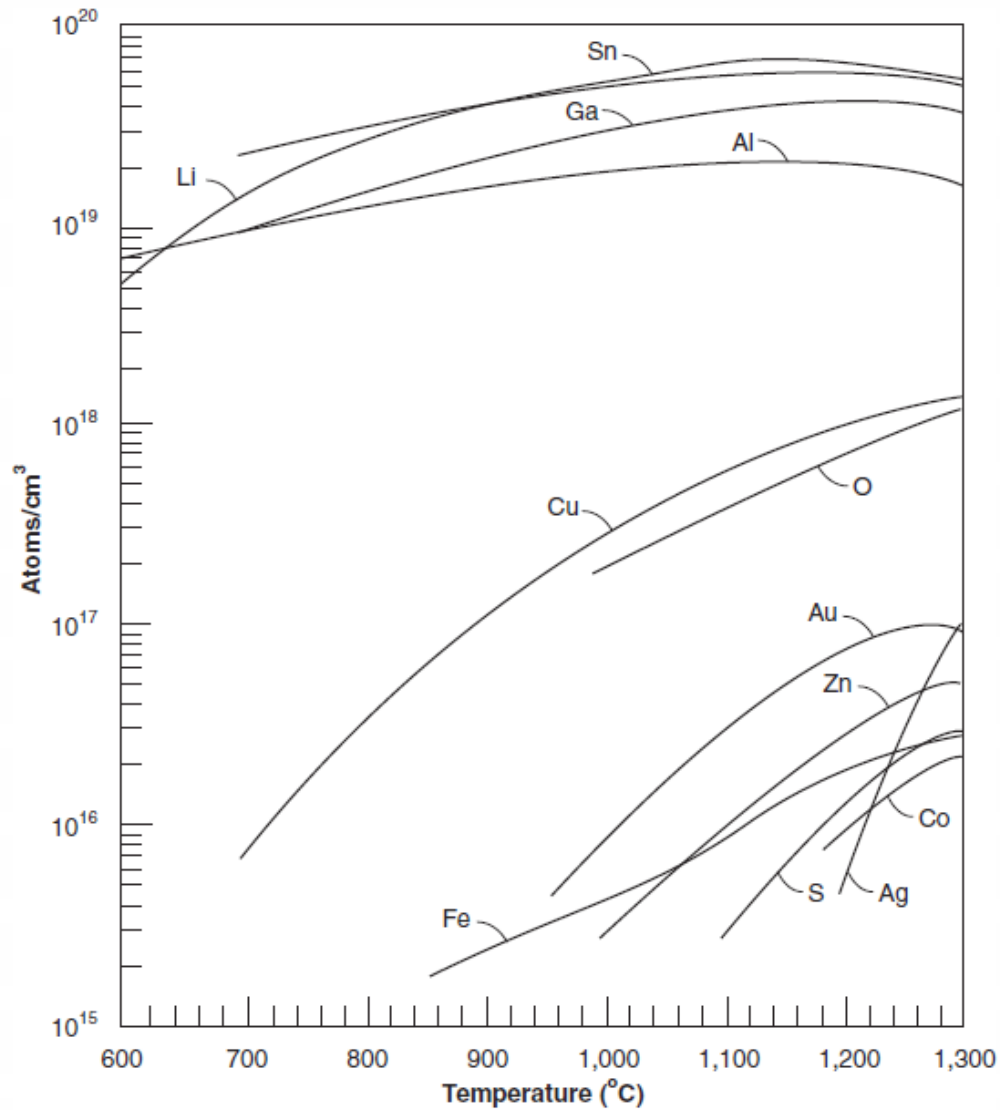


Figure 1.28: Solid solubility of selected impurities in silicon [47].



# Predeposition/Drive-in

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Oxide diffusion mask  $\sim 500$  nm



Predeposition process

spin-on glass

ion implantation

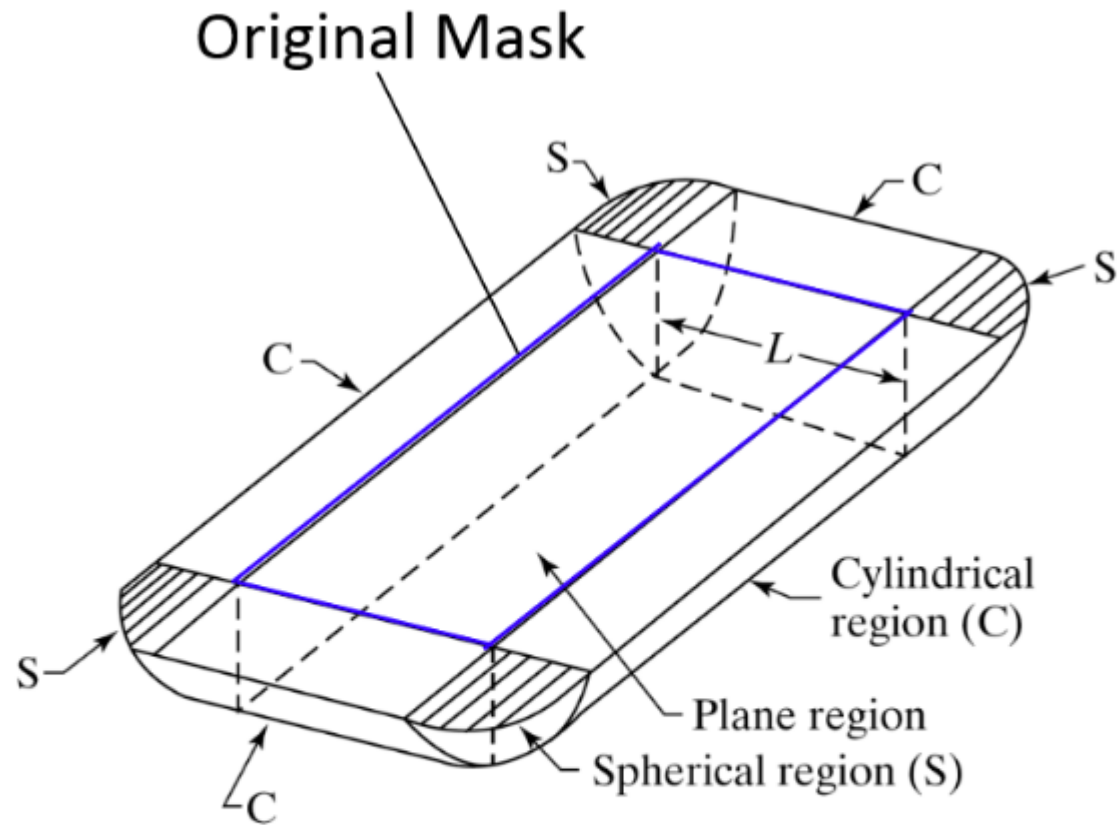
constant source diffusion

Drive-in process

limited source diffusion

# Patterned dopant regions

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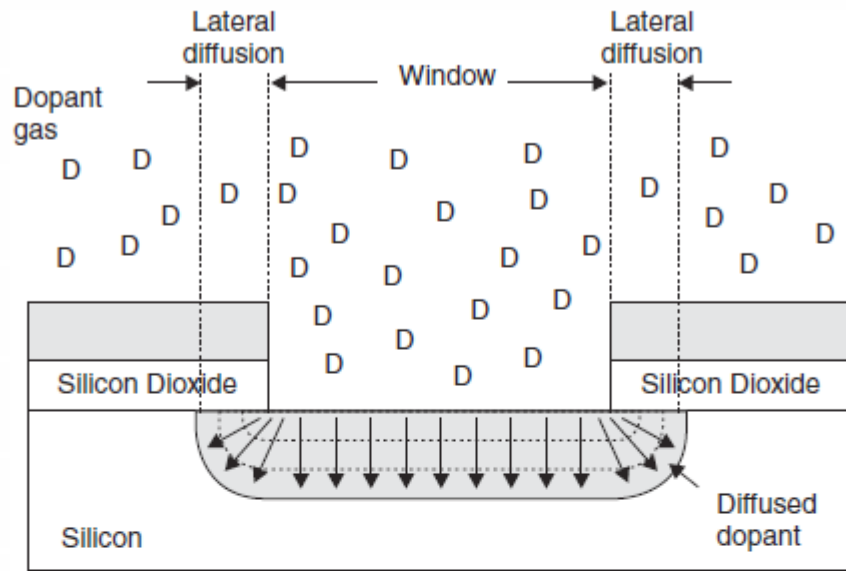
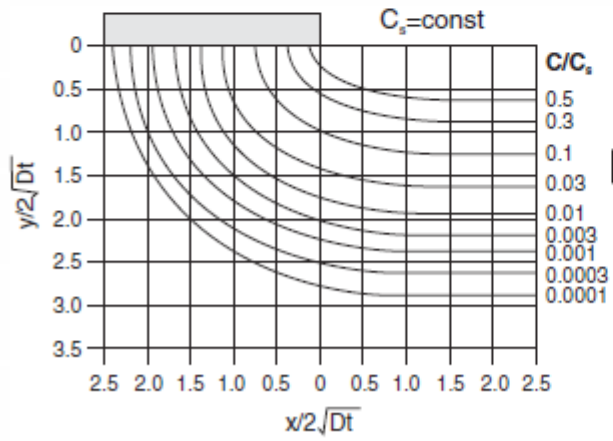
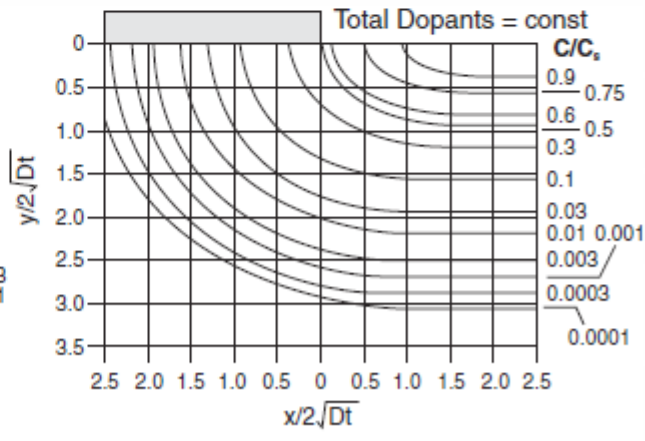


Figure 1.34: Pre-deposition through a silicon dioxide window.

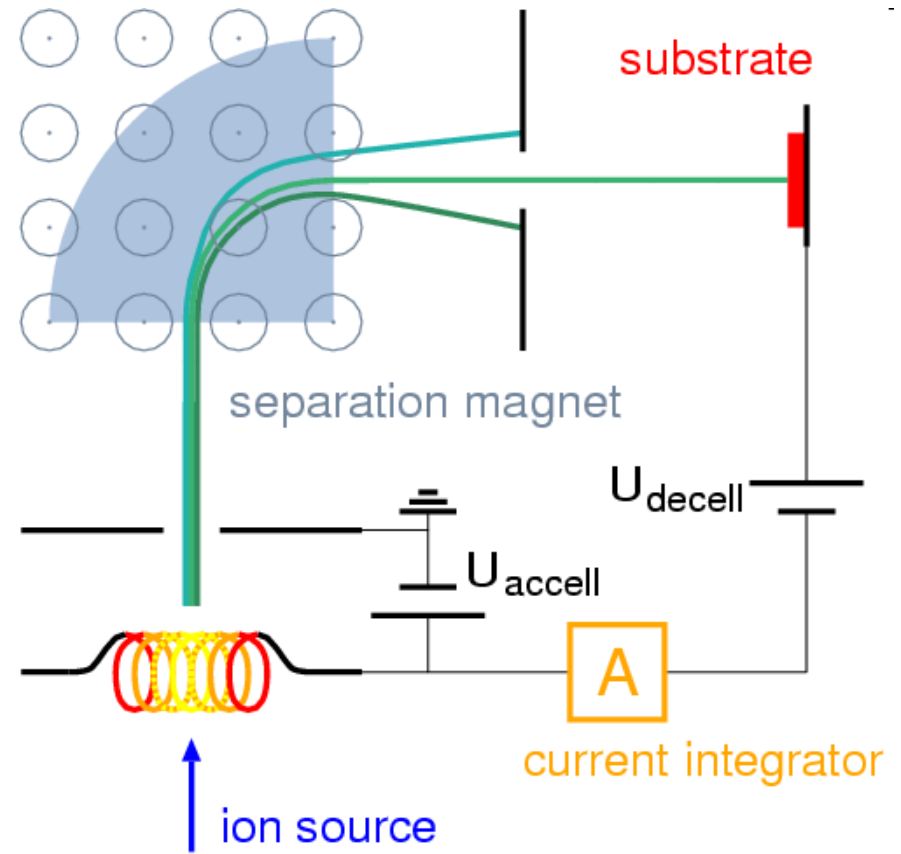


a) Complementary error function



b) Gaussian

# Ion implantation



X-rays are generated

# Ion implantation

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More accurate control of concentration

Better lateral confinement

Low temperature

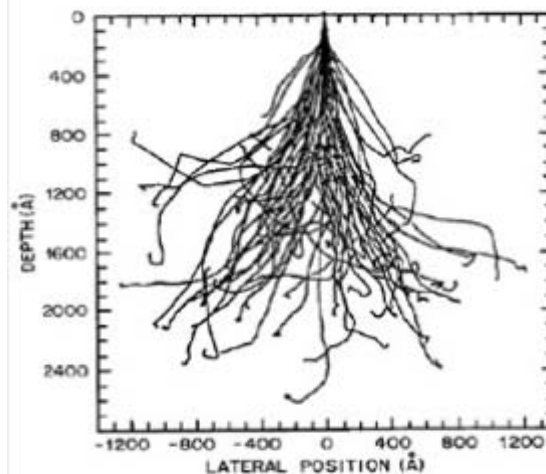
Complex profiles through multiple implantations

Less sensitive to surface preparation

Requires an anneal to eliminate damage and activate dopants

Dopants diffuse during the anneal

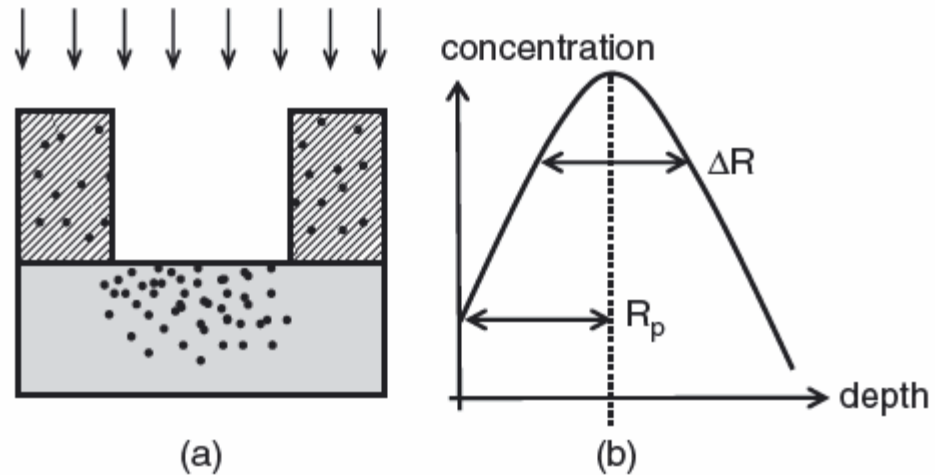
Possible to implant above the solubility limit



# Ion implantation

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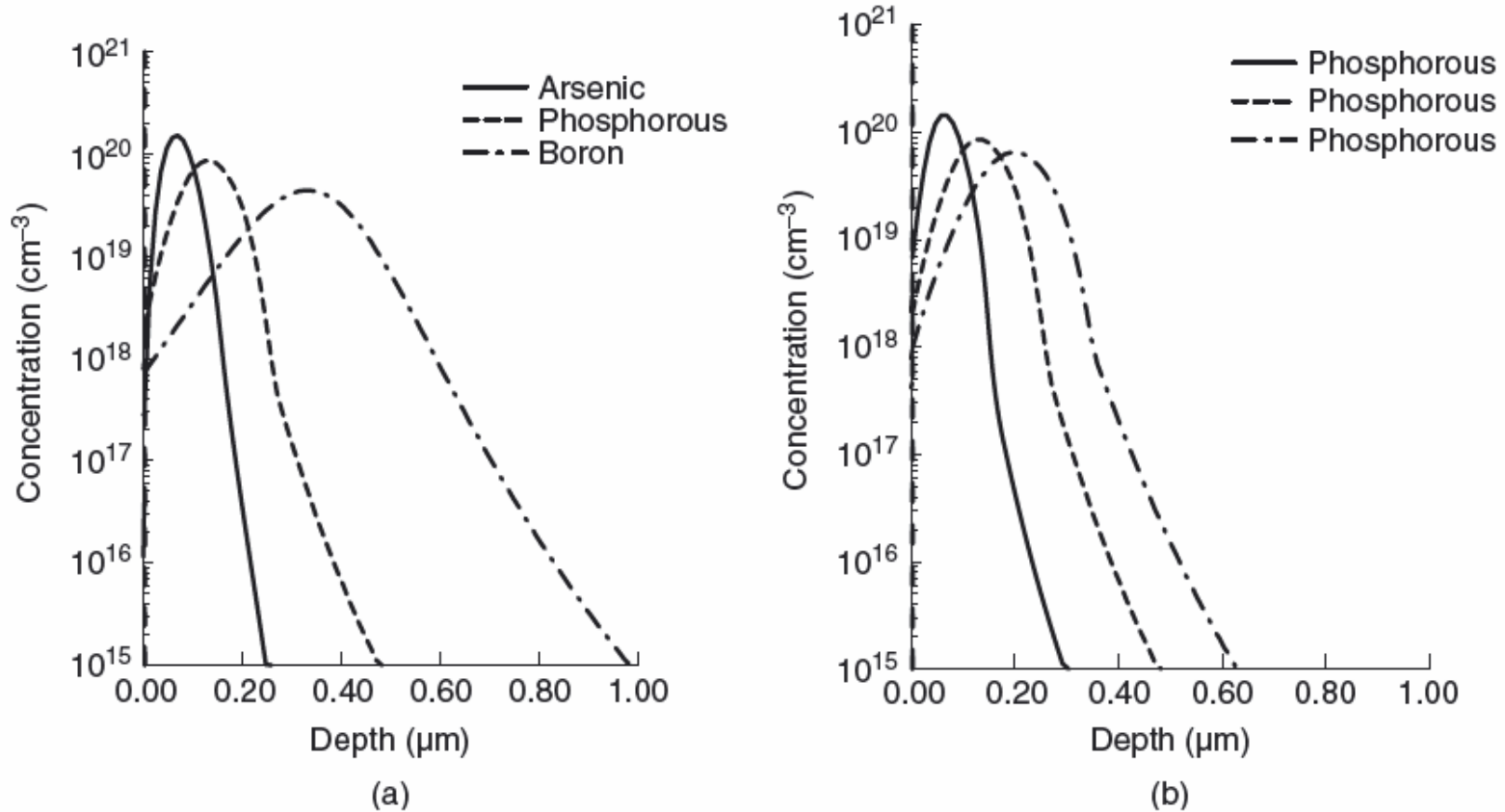
Photoresist, oxide, or nitride. Should be thicker than projected range. High doses burn the photoresist on and make it hard to remove.



**Figure 15.1** (a) Implantation: mask layer blocks selected areas; (b) dopant concentration profile inside silicon, with projected range  $R_p$  and straggle  $\Delta R$

Most dopants are at the projected range  $R_p$ .

# Ion implantation



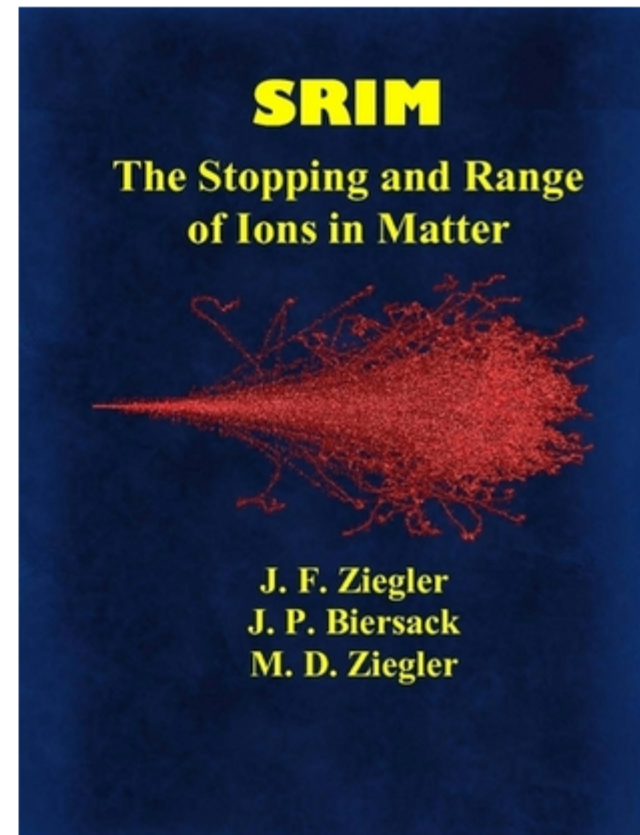
**Figure 15.3** (a) The 50 keV implantation of arsenic, phosphorus and boron: the lighter ions will penetrate deeper. (b) Phosphorus implantation with 50, 100 and 150 keV energies

# *SRIM*

## *The Stopping and Range of Ions in Matter*

*James F. Ziegler, Jochen P. Biersack, Matthias D. Ziegler*

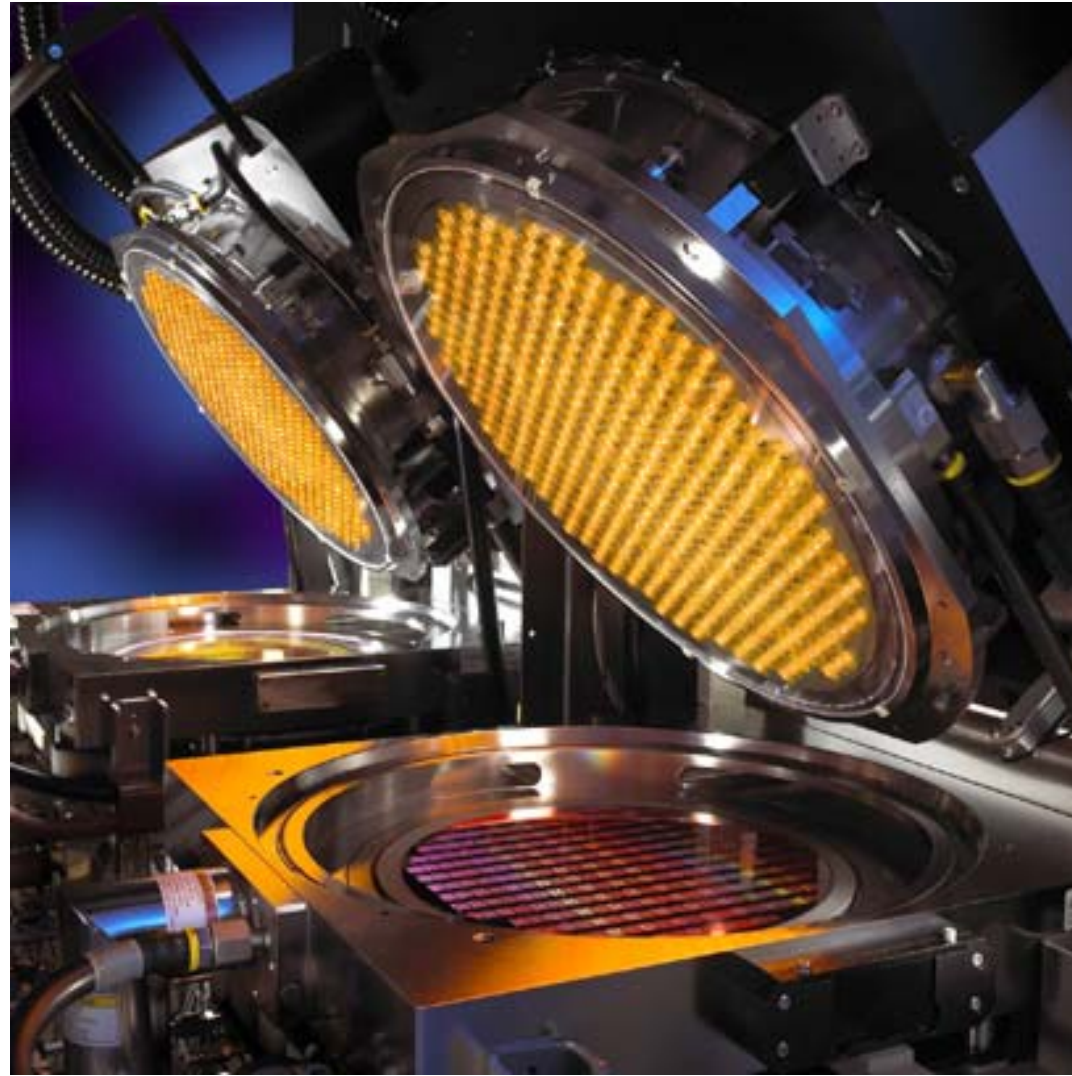
- Ch 1 - **Historical Review**
- Ch 2 - **Nuclear Stopping of Ions**
- Ch 3 - **Electronic Stopping of Ions**
- Ch 4 - **Stopping of Energetic Light Ions**
- Ch 5 - **Stopping of Ions in Compounds**
- Ch 6 - **Ion Straggling**
- Ch 7 - **TRIM : Scientific Background**
- Ch 8 - **TRIM : Setup and Input**
- Ch 9 - **TRIM : Output Files**
- Ch 10 - **Stopping and Range Tables**
- Ch 11 - **SRIM Tutorials**





# Rapid thermal anneal (RTA)

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<http://www.appliedmaterials.com/products/vantage-radianceplus-rtp>

# Channeling

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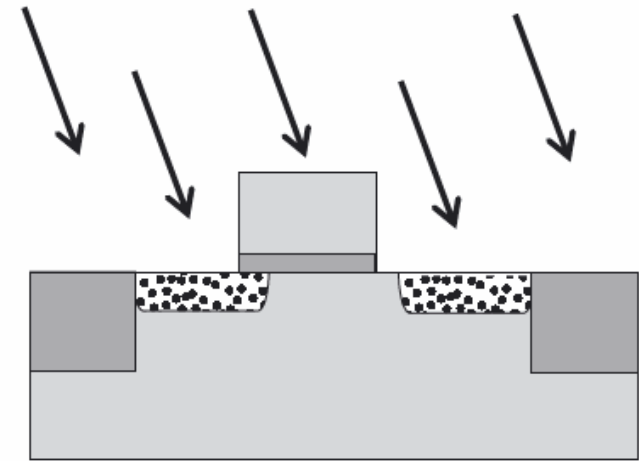
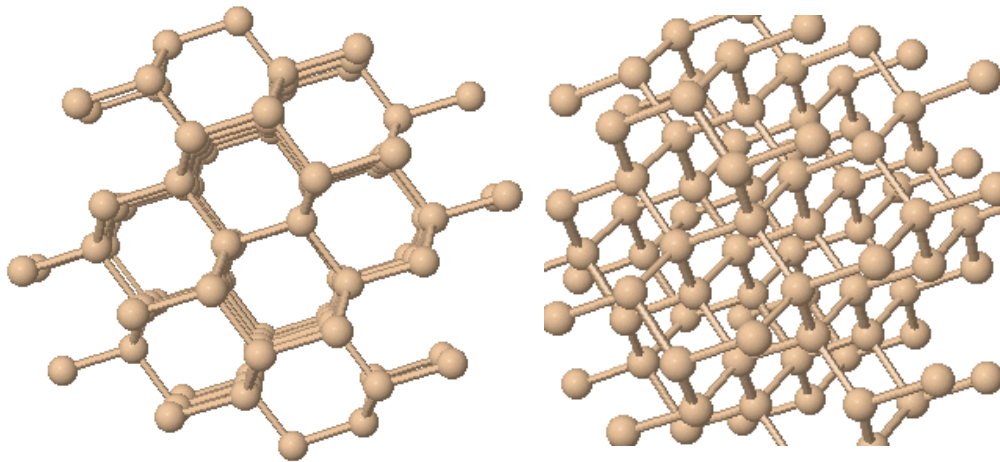
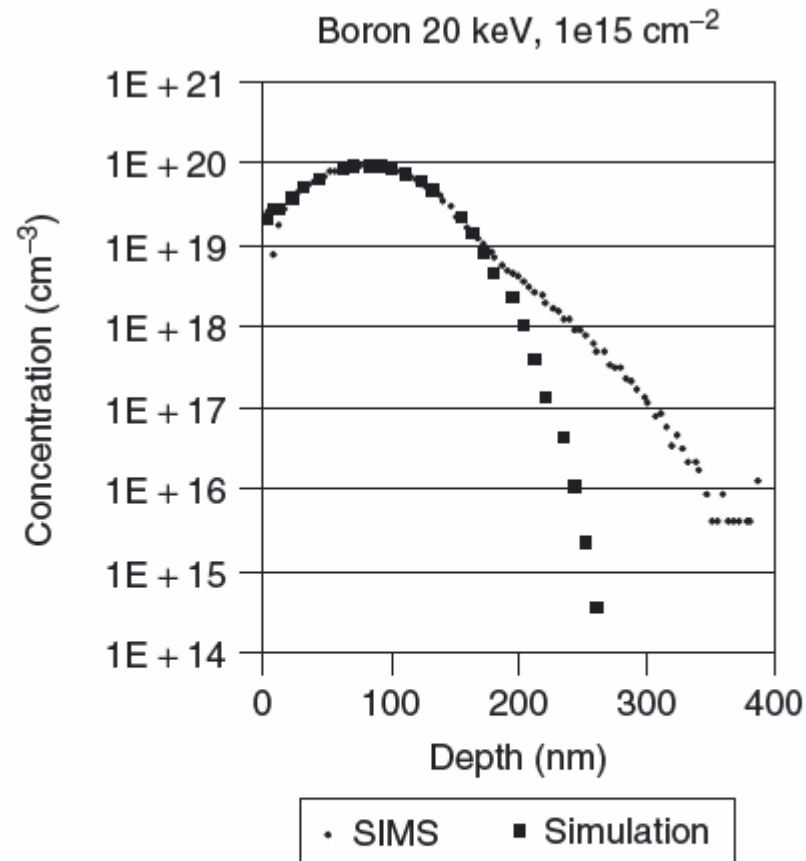


Figure 15.6 Doping asymmetry due to tilted implantation

Ions travel deep into the crystal when the beam is aligned with a crystal axis. Implantation is often done at  $7^\circ$  off-axis to avoid channeling.



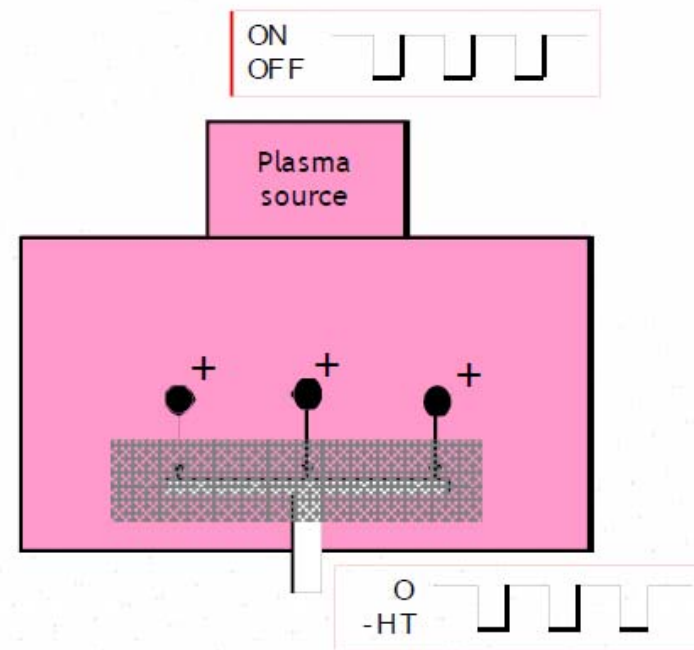
**Figure 15.9** Boron implantation into silicon, 20 keV,  $10^{15} \text{ cm}^{-2}$ . SIMS measured data shown by small diamonds, ICECREM simulation by large squares. The discrepancy in the tail results partly from ion channeling and partly from model deficiencies. SIMS data courtesy Jari Likonen, VTT

# Plasma immersion ion implantation

## PLASMA IMMERSION ION IMPLANTATION PRINCIPLES

External source and pulsed mode:

- Limitation of plasma/surface interactions
- Low contamination level
- Wide range of plasma density
- Limitation of wafer charging



Flat panel displays and solar panels.

# Oxidation

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The properties of  $\text{SiO}_2$  were more important than Si in making Si the dominant semiconductor material.

Thin gate oxide  $\sim 1$  nm in MOSFETs

Tunnel barriers in flash memory

Dielectrics in capacitors

Electrical isolation of components

Passivation layer to protect the circuits

Oxide masks for diffusion and implantation

Native oxide  $\sim 1$  nm grows in air in hours but is not good quality

Thermal oxide - grows slowly, best quality

Deposited oxide - grows quicker, less quality

# Dry oxidation

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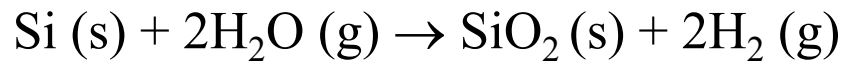


1 hour at 900 C produces 30 nm of thermal oxide.

Used for gate oxide in MOSFETs and tunnel oxide flash memories.

Good layer control. Low defect density at the Si/SiO<sub>2</sub> interface.

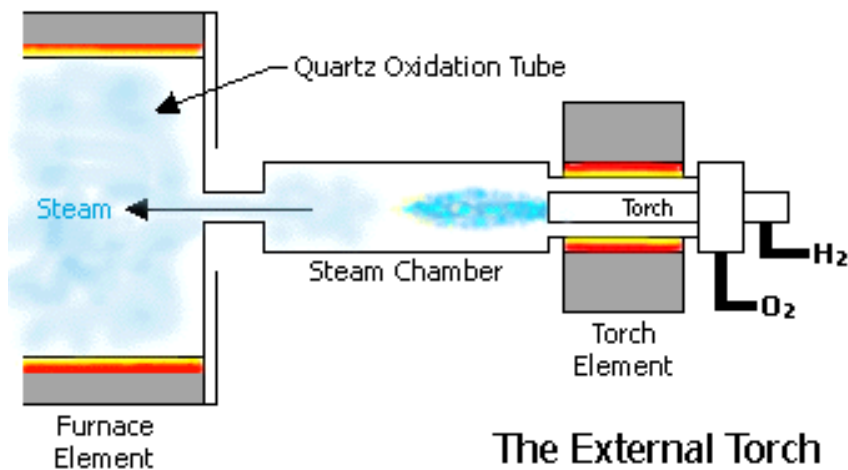
# Wet oxidation



The water is steam.

1 hour at 900 C produces 130 nm of thermal oxide.

Faster growth than dry oxidation.



[http://en.wikipedia.org/wiki/Thermal\\_oxidation](http://en.wikipedia.org/wiki/Thermal_oxidation)

# CVD oxides

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Can be deposited at lower temperature

Rougher surfaces, lower breakdown field,  
higher etch rate in HF



# Deal-Grove oxidation model

Oxide thickness  $z$  is first linear then grows like a square root

$$z(t) = \frac{-A + \sqrt{A^2 + 4Bt}}{2}$$

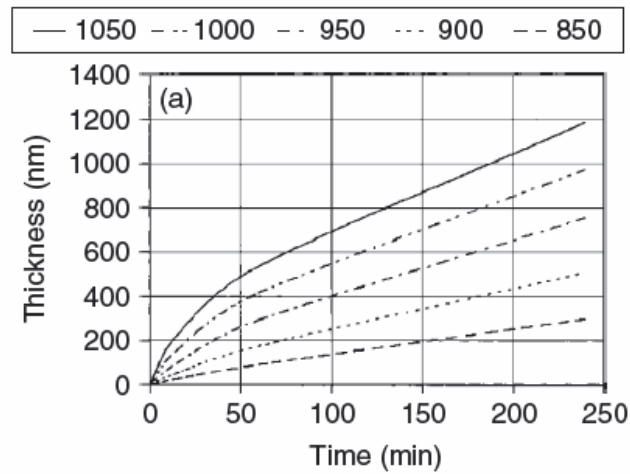
The constants are thermally activated

$$B = B_0 \exp\left(\frac{-E_A}{k_B T}\right) \quad \frac{B}{A} = \left(\frac{B}{A}\right)_0 \exp\left(\frac{-E_A}{k_B T}\right)$$

Parameter	Quantity	Wet ( $H_2O$ )	Dry ( $O_2$ )
Linear rate constant	$(B/A)_0 \left(\frac{\mu m}{hr}\right)$	<100>: $9.7 \times 10^7$ <111>: $1.63 \times 10^8$	<100>: $3.71 \times 10^6$ <111>: $6.23 \times 10^6$
	$E_A$ (eV)	2.05	2.00
Parabolic rate constant	$B_0 \left(\frac{(\mu m)^2}{hr}\right)$	386	772
	$E_A$ (eV)	0.78	1.23

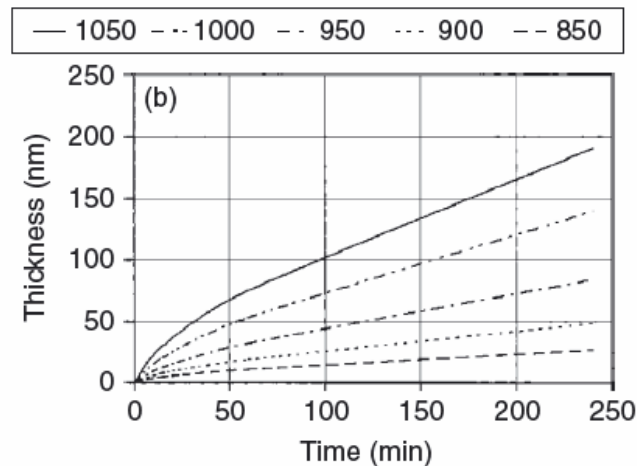
# Deal-Grove oxidation model

Wet



Linear dependence: Limited by the reaction rate of Si and O<sub>2</sub> to SiO<sub>2</sub>

Dry

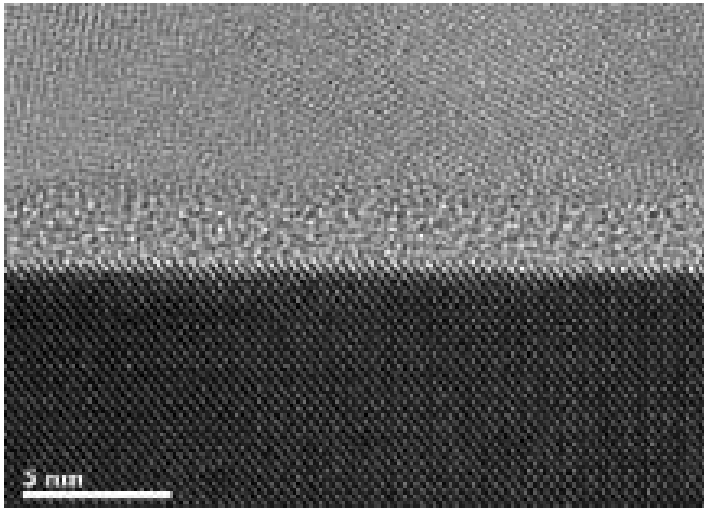


Square root behavior: Limited by oxygen diffusion through the oxide.

**Figure 13.3** Oxidation of <100>silicon at temperature between 850 and 1050 °C, wet and dry. Maximum practical oxide thickness is 1 or 2 micrometers, because of the decrease in parabolic oxidation rate

# SiO<sub>2</sub> is amorphous

gate oxide

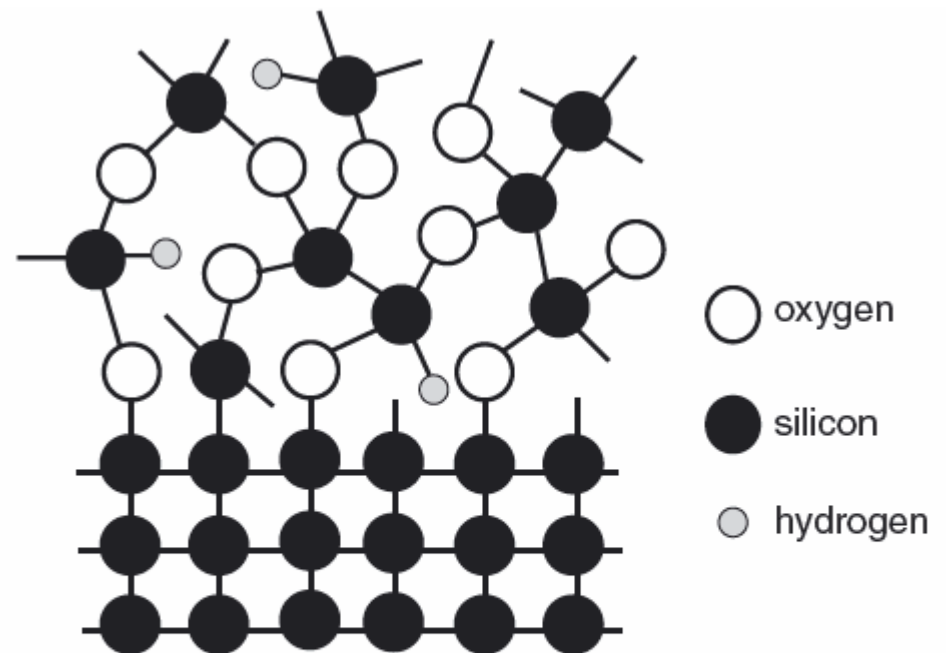


<http://www.nanolabtechnologies.com/>

$D_{it}$   $10^9$ – $10^{11}/\text{cm}^2$   
defects at the interface

$10^{15}$  atoms/ $\text{cm}^2$

Post oxidation anneal (N<sub>2</sub> then H<sub>2</sub>) to passivate dangling bonds



**Figure 13.8** The structure of the silicon/silicon dioxide interface: single crystalline silicon and amorphous oxide. There are dangling bonds (not having their full valence) and some have hydrogen atoms bonded to them

Fransila

# Oxides are under compressive stress

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Typical stress is 300 MPa  
Stress will bow the wafer

density

quartz 2.65 g/cm<sup>3</sup>

oxide 2.2 g/cm<sup>3</sup>

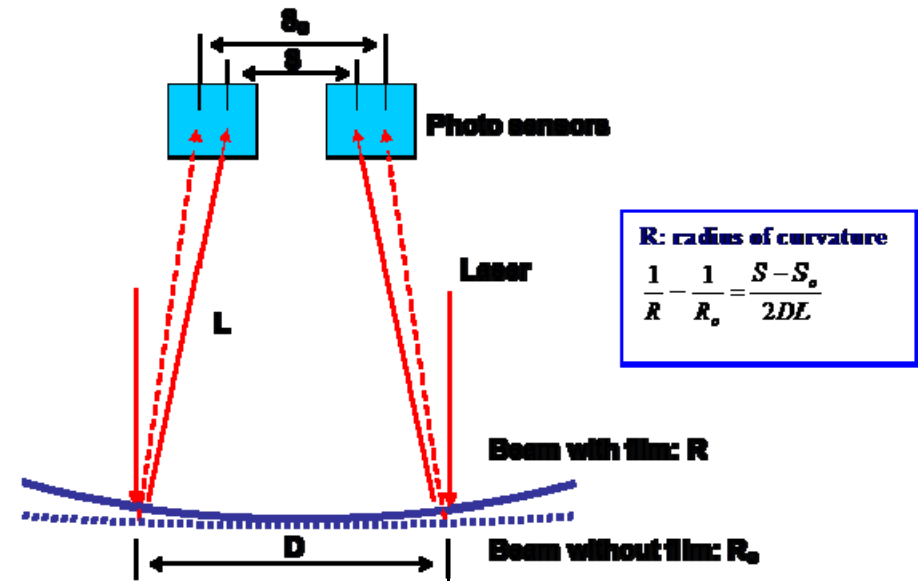
Young's modulus

quartz 107 GPa

oxide 87 GPa

# Stoney's formula

$$\sigma_f = \frac{E_s h_s^2 \kappa}{6h_f (1 - \nu_s)}$$

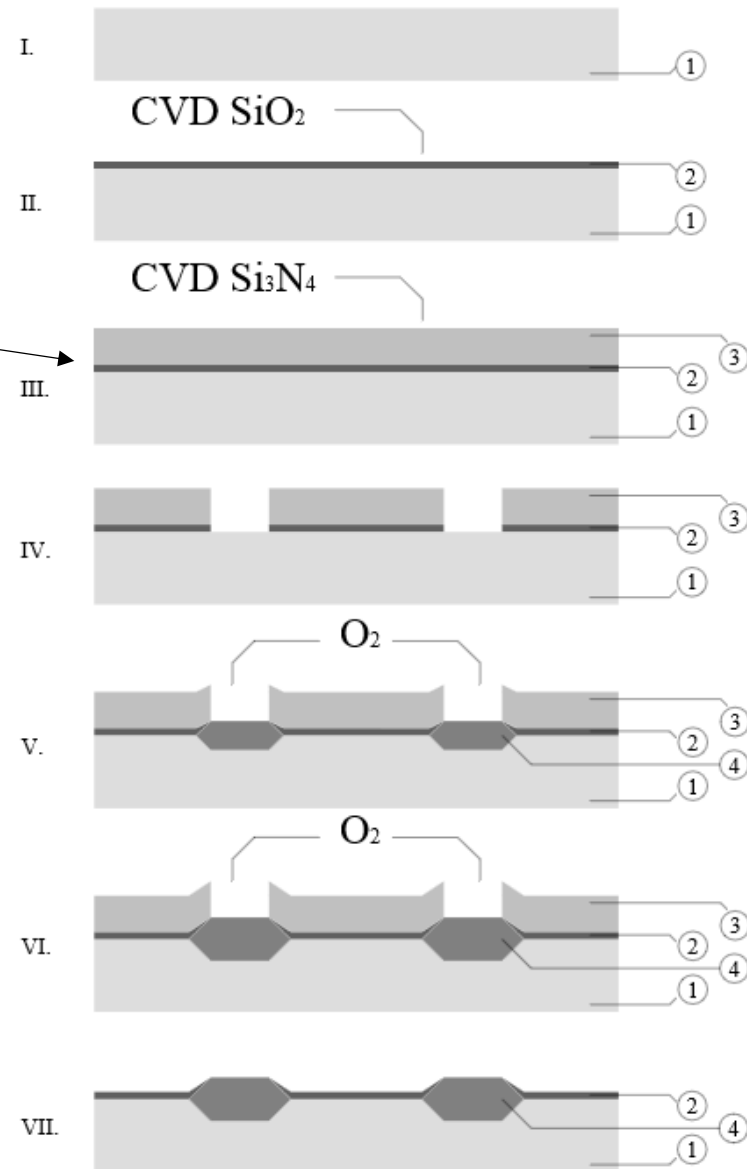


The stress  $\sigma_f$  in the film depends on  
 $E_s$  Young's modulus in the substrate  
 $\nu_s$  Poisson's ratio of the substrate  
 $h_s$  thickness of the substrate  
 $h_f$  thickness of the film  
 $\kappa$  curvature

Only holds for uniform curvature

# Local Oxidation of Silicon (LOCOS)

thin pad oxide for stress relief

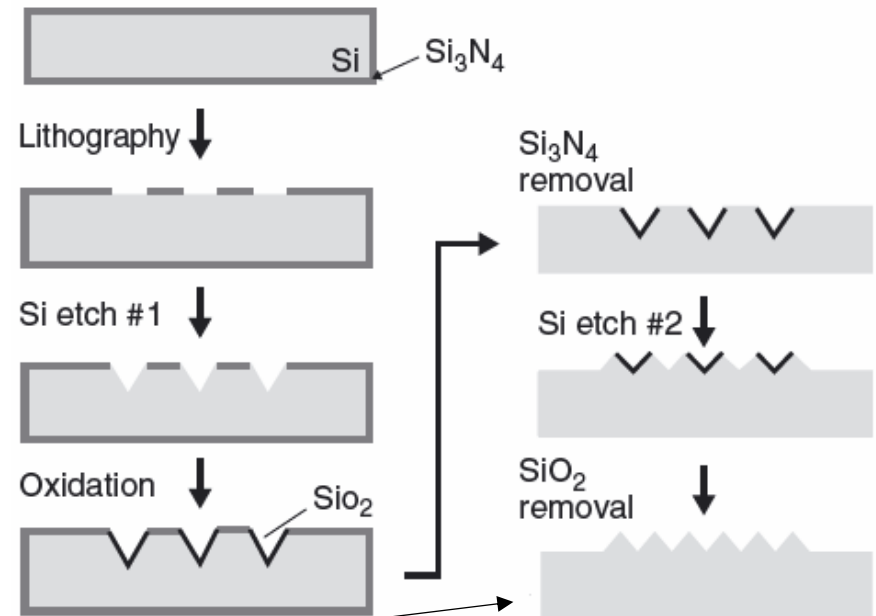


# Controlled removal of Si

1. Thermal oxidation (good control of thickness)

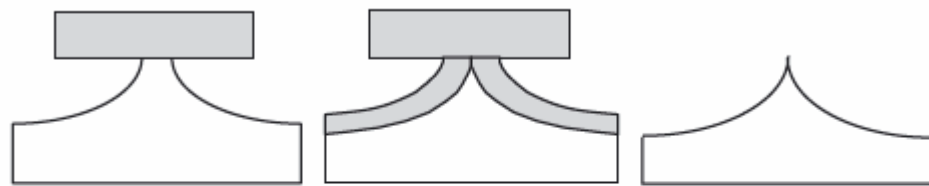
2. Etch Oxide with HF

Period doubling of pattern

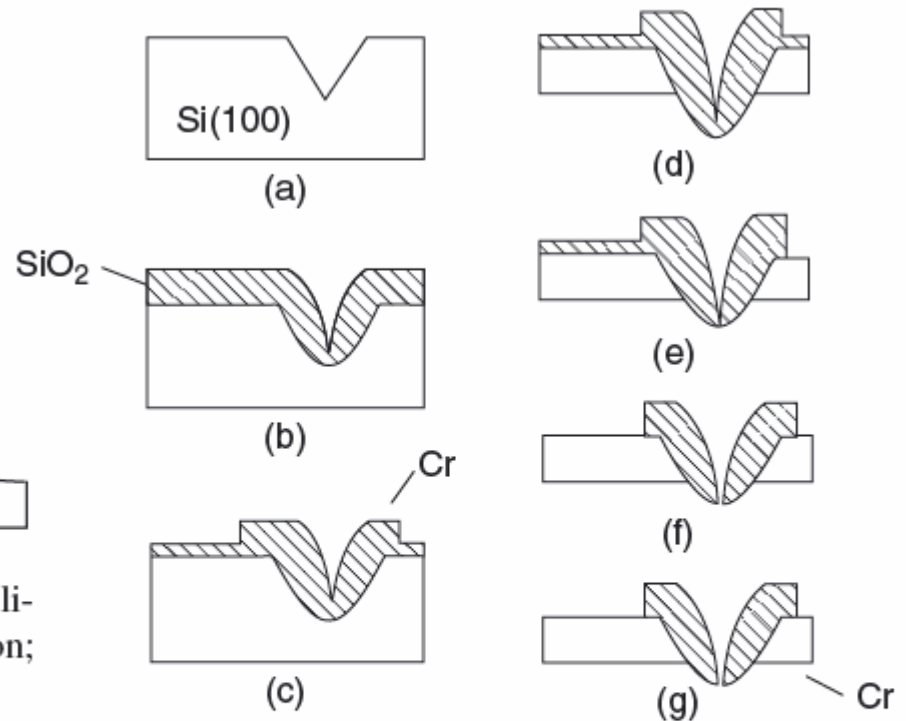


**Figure 13.10** LOCOS for a sawtooth structure in (100) silicon. Nitride first acts as a silicon etching mask and then as an oxidation mask. Second KOH etching and HF oxide removal result in sawtooth relief. Reproduced from Ribbing *et al.* (2003), copyright IOP

# Controlled removal of Si



**Figure 13.14** Silicon tip fabrication: left, isotropic silicon etching with an oxide mask; middle, thermal oxidation; right, silicon tip recovery by HF etching



**Figure 13.13** Oxide thinning at the apex is used as a method to fabricate nanoscopic holes: the apex can be etched open while leaving oxide elsewhere because oxide is thin and stressed at the apex. Reproduced from Minh and Ono (1999) by permission of AIP



# Complementary Metal Oxide Semiconductor (CMOS)

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The dominant technology for microprocessors

Low power dissipation through the use of n-type and p-type MOSFETs